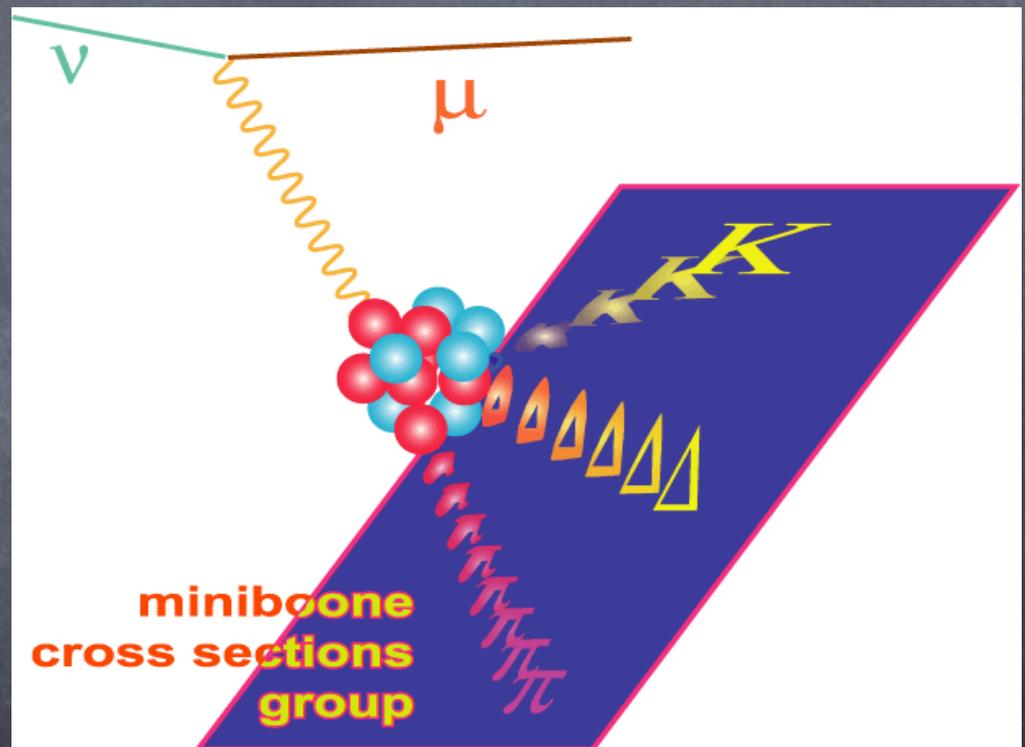


# MiniBooNE $\nu_\mu$ CC $\pi^+$ /CCQE $\sigma$ Ratio

M.O. Wascko, LSU

J.R. Monroe, Columbia

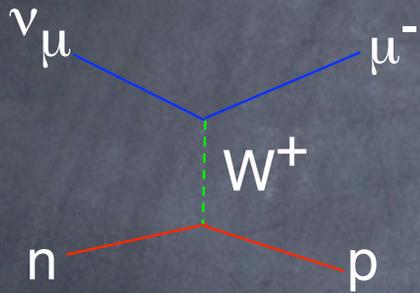
- CC interactions
  - Quasi-Elastic (CCQE)
  - Inclusive Single  $\pi^+$  Production (CCPiP)
- Measuring CC Interactions
- Modelling CC Interactions
- (CCPiP / CCQE)  $\sigma$  Ratio



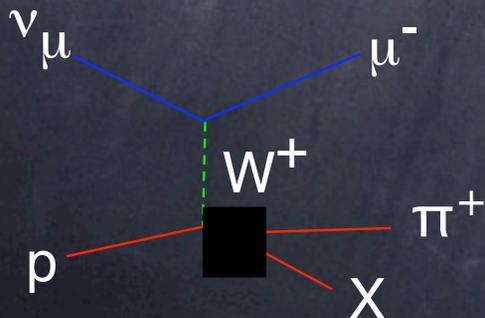
Analysis performed under the auspices of the MiniBooNE Cross Sections Working Group

# Charged Current Interactions

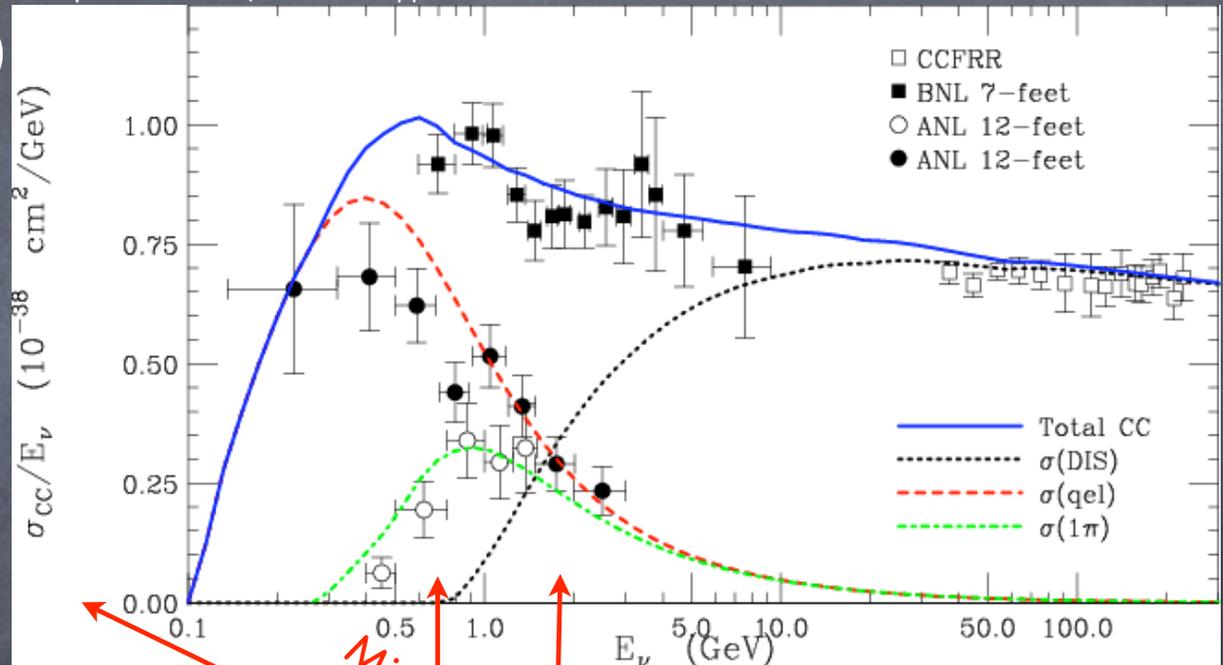
- Quasi-Elastic (CCQE)



- Single  $\pi^+$  (CCPiP) (Inclusive)



P. Lipari, Nucl. Phys. Proc. Suppl. 112, 274 (2002) (NuInt01)



↖ LSND  
↑ MiniBooNE  
↑ K2K  
— Super-K atmospheric  $\nu_s$   
— Range of NuMI Possibilities

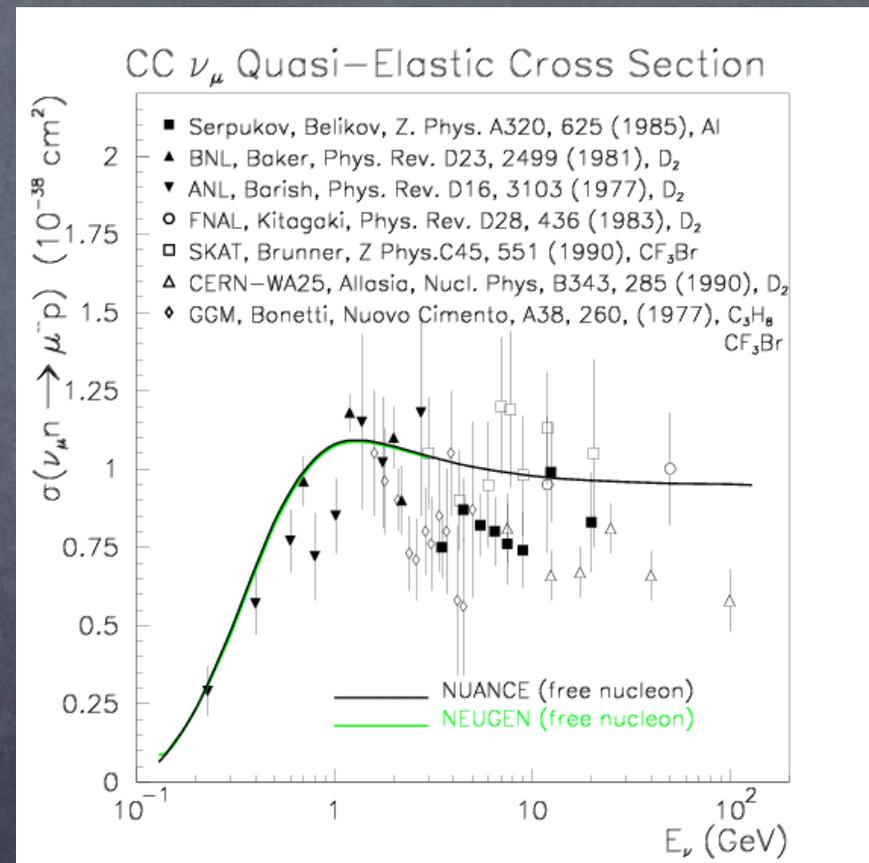
# Charged Current Quasi-Elastic Interactions

- Simple kinematics:
  - measure lepton energy, angle
  - then calculate  $\nu$  energy

$$E_{\nu}^{QE} = \frac{1}{2} \frac{2M_p E_{\mu} - m_{\mu}^2}{M_p - E_{\mu} + \cos\theta_{\mu} \sqrt{E_{\mu}^2 - m_{\mu}^2}}$$

- Fairly well known  $\sigma$  at low  $\nu$  energy
- important error contribution to oscillation searches

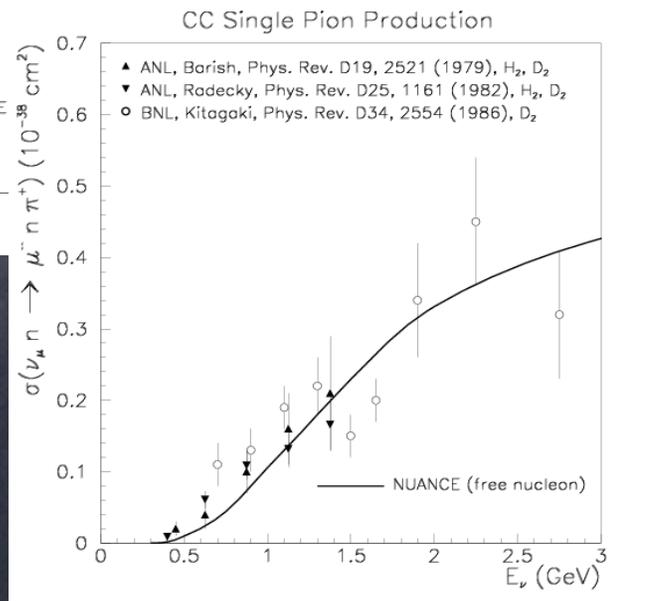
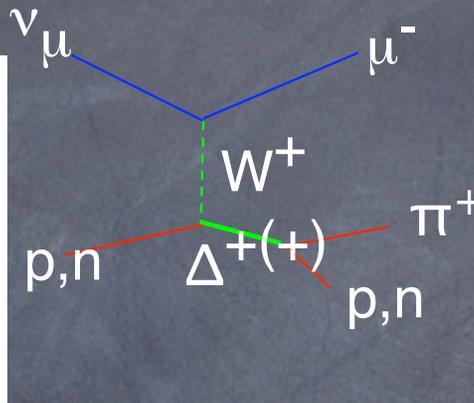
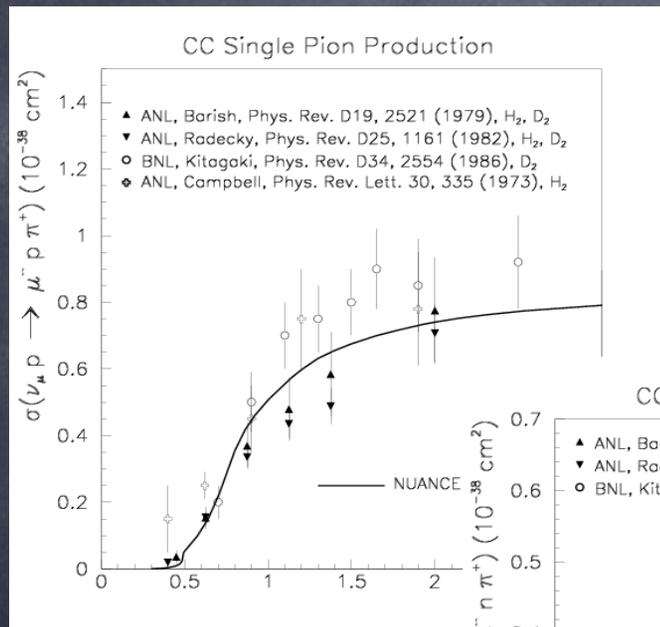
- Past data:
  - not much below  $\sim$  few GeV
  - only light targets



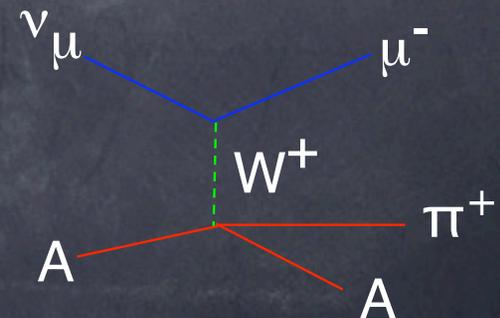
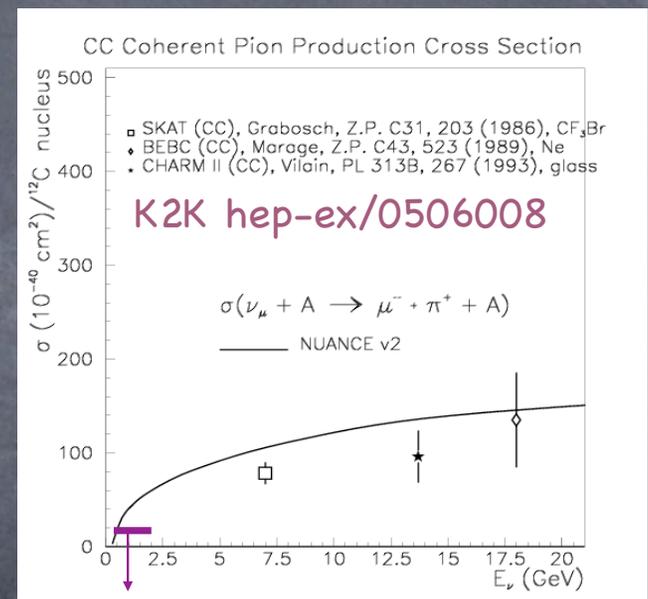
# Charged Current Single $\pi^+$ Interactions

- More complex kinematics due to  $\pi^+$  and  $\mu$  in final state

## Resonant Production

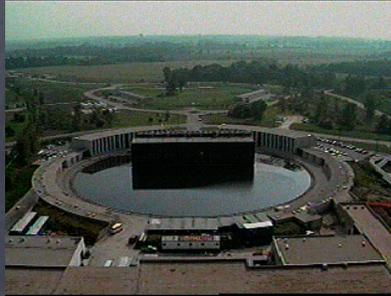


## Coherent Production



- no heavy target data below 3 GeV

# MiniBooNE Overview

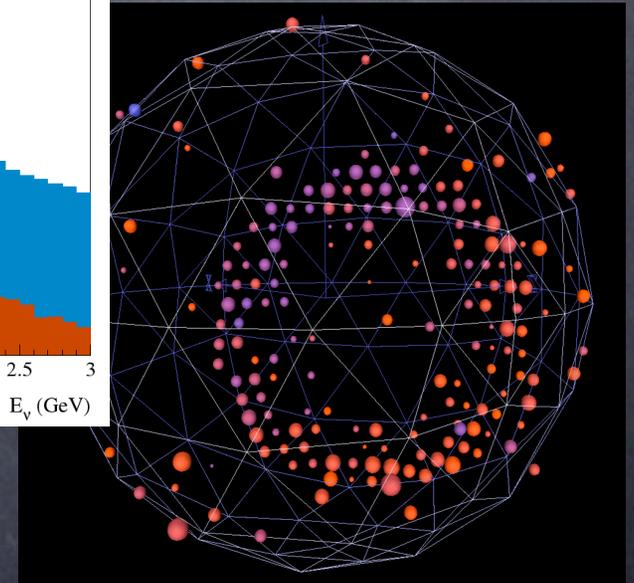
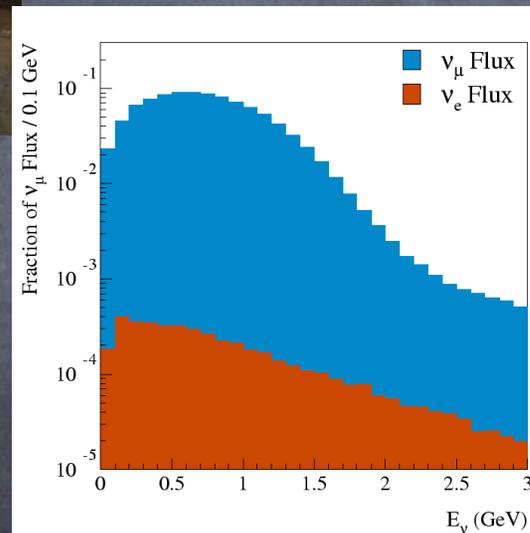


- 8 GeV KE protons from Fermilab Booster Accelerator
- $1.7 \lambda$  beryllium target (HARP results coming soon!)



- horn focusses + sign mesons
- $\pi$  and K
- Can reverse polarity (anti- $\nu$  beam)

- 50 m decay region
- >99% pure  $\nu_\mu$  flavor beam
- 490 m dirt berm
- 800 ton  $\text{CH}_2$  detector
- 1520 PMTs
- 1280 + 240 in veto



# Measuring CC Interactions at MiniBooNE

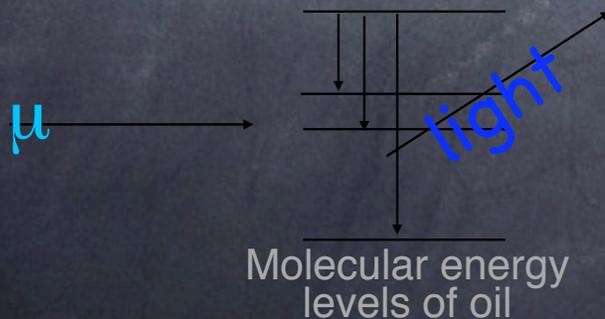
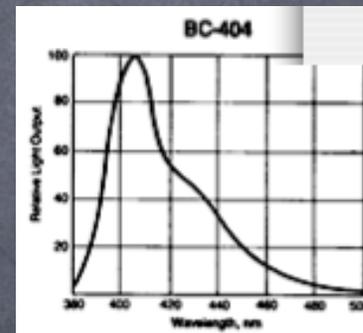
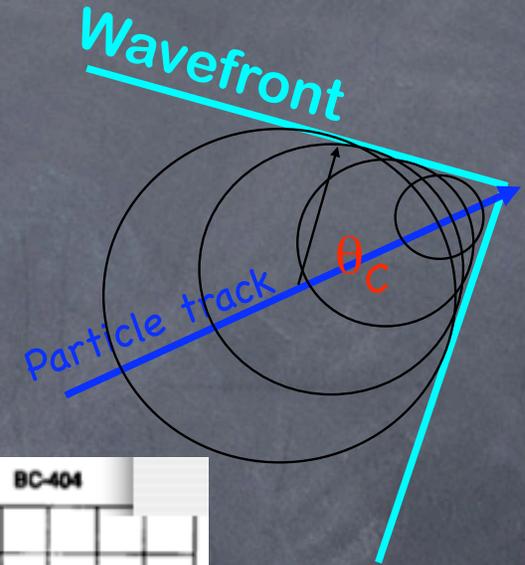
We measure visible light produced by charged final state particles in mineral oil

## Cherenkov radiation

- Light emitted by oil if particle  $v > c / n$
- forward and prompt in time

## Scintillation

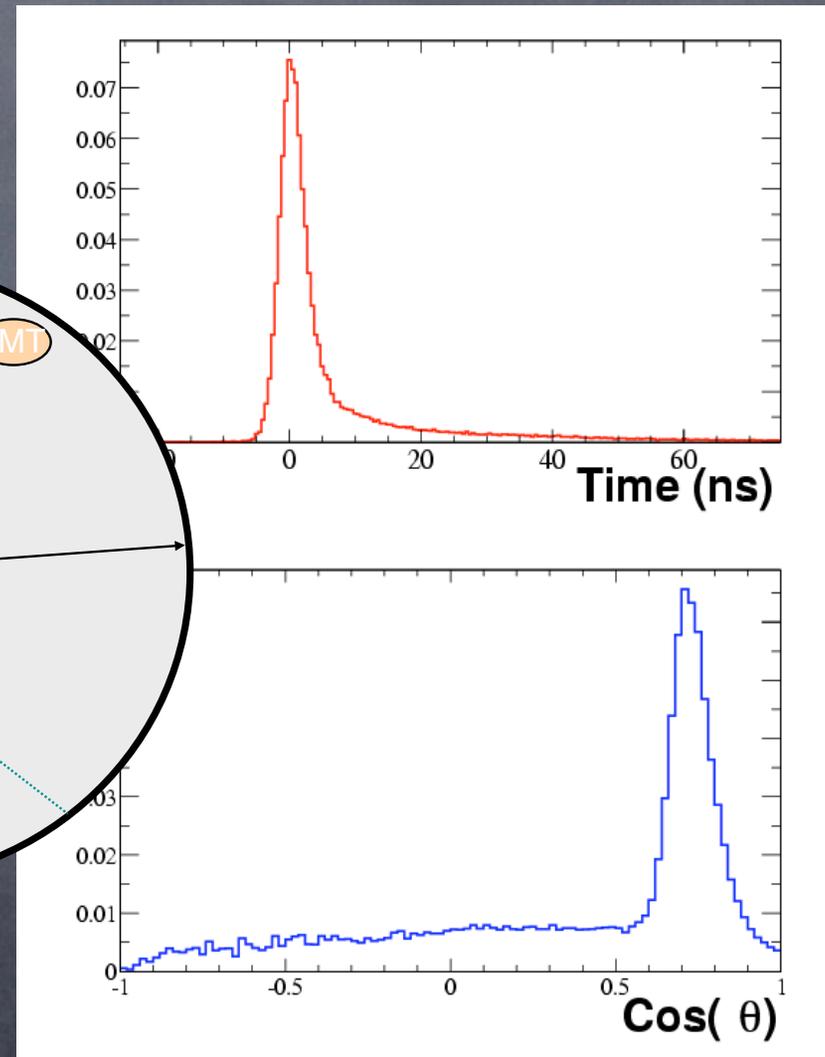
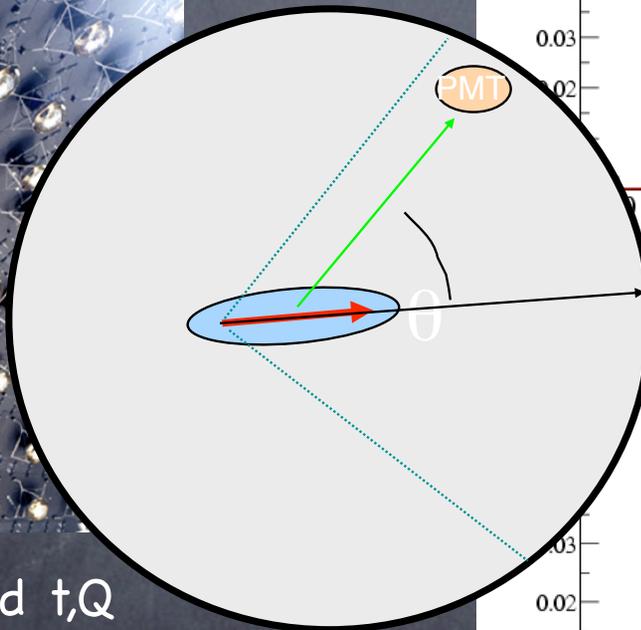
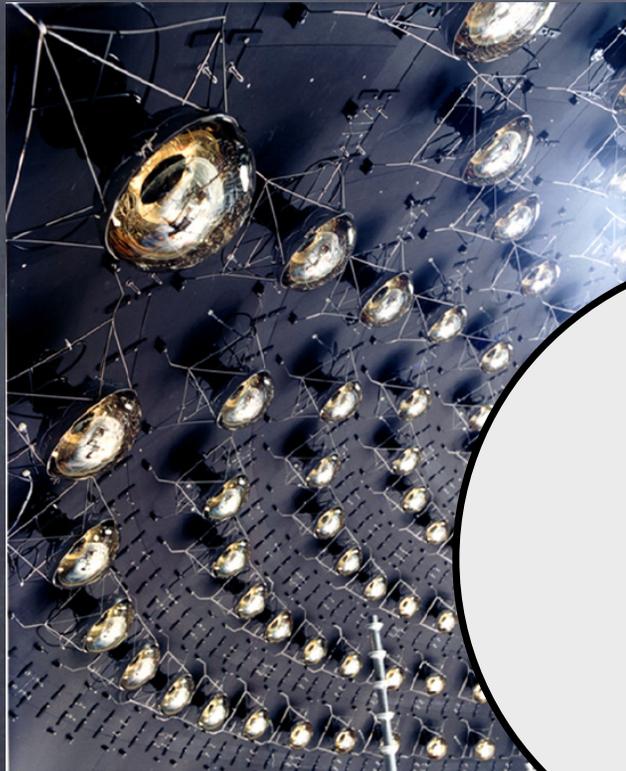
- Excited/ionized molecules emit light when electrons drop to lower E levels
- isotropic and late in time



... after the  $\gamma$ s travel to edge of detector

- Fluorescence
- Scattering (Rayleigh, Raman)
- Absorption

# Reconstructing CC Interactions at MiniBooNE



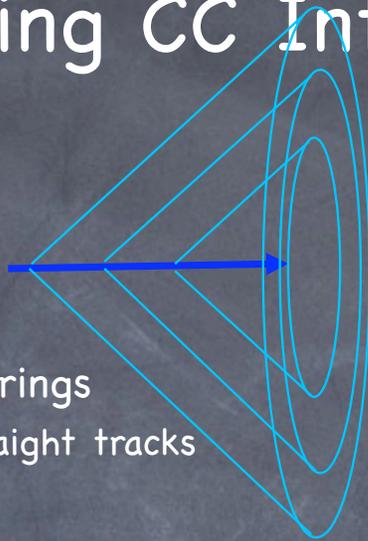
PMTs collect  $\gamma$ s, record  $t, Q$

Reconstruct tracks by fitting time and angular distributions

# Identifying CC Interactions at MiniBooNE

- Muons

- Sharp, clear rings
- Long, straight tracks

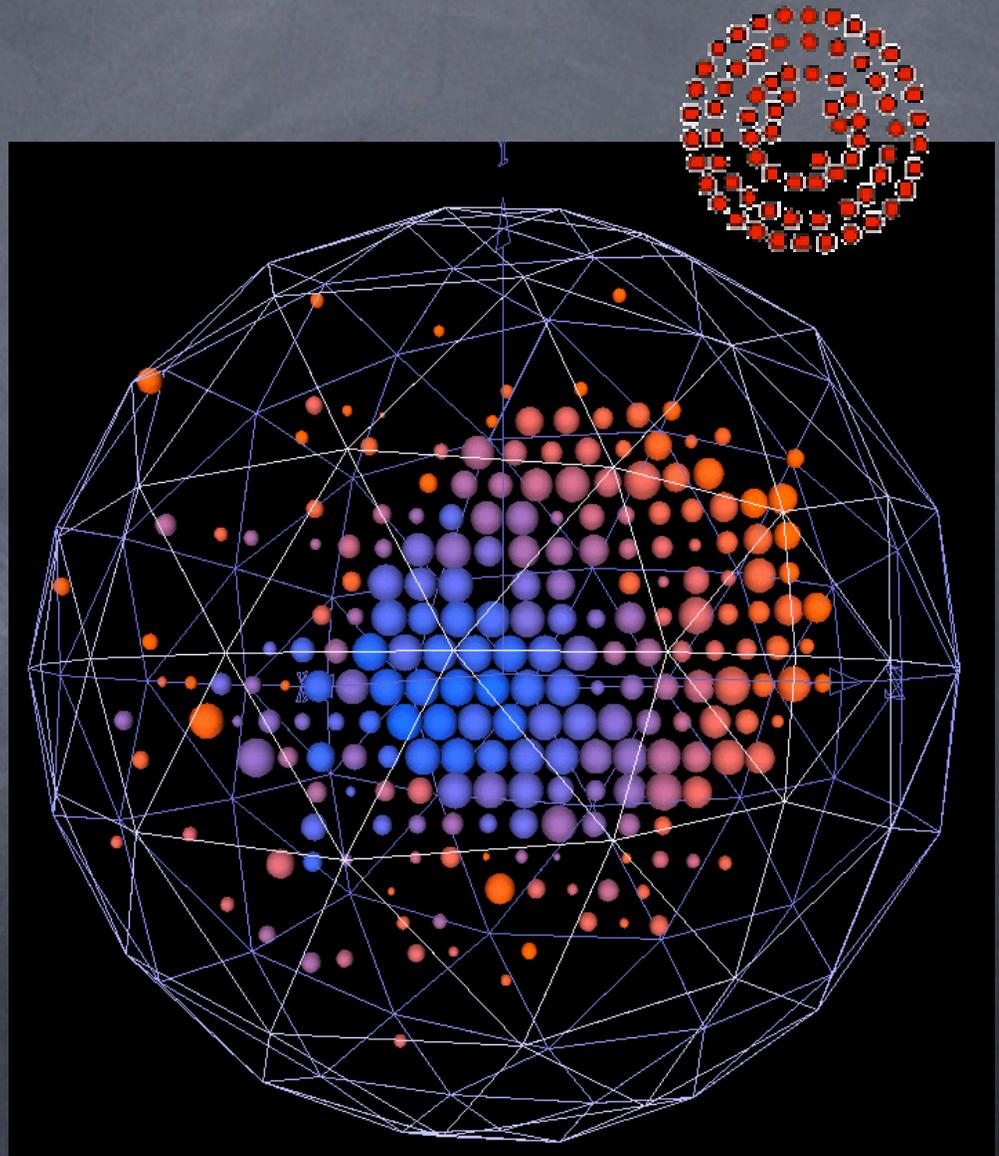


- Electrons

- Scattered rings
- Multiple scattering
- Radiative processes

- Neutral Pions

- Double rings
- Decays to two photons
- Photons pair produce

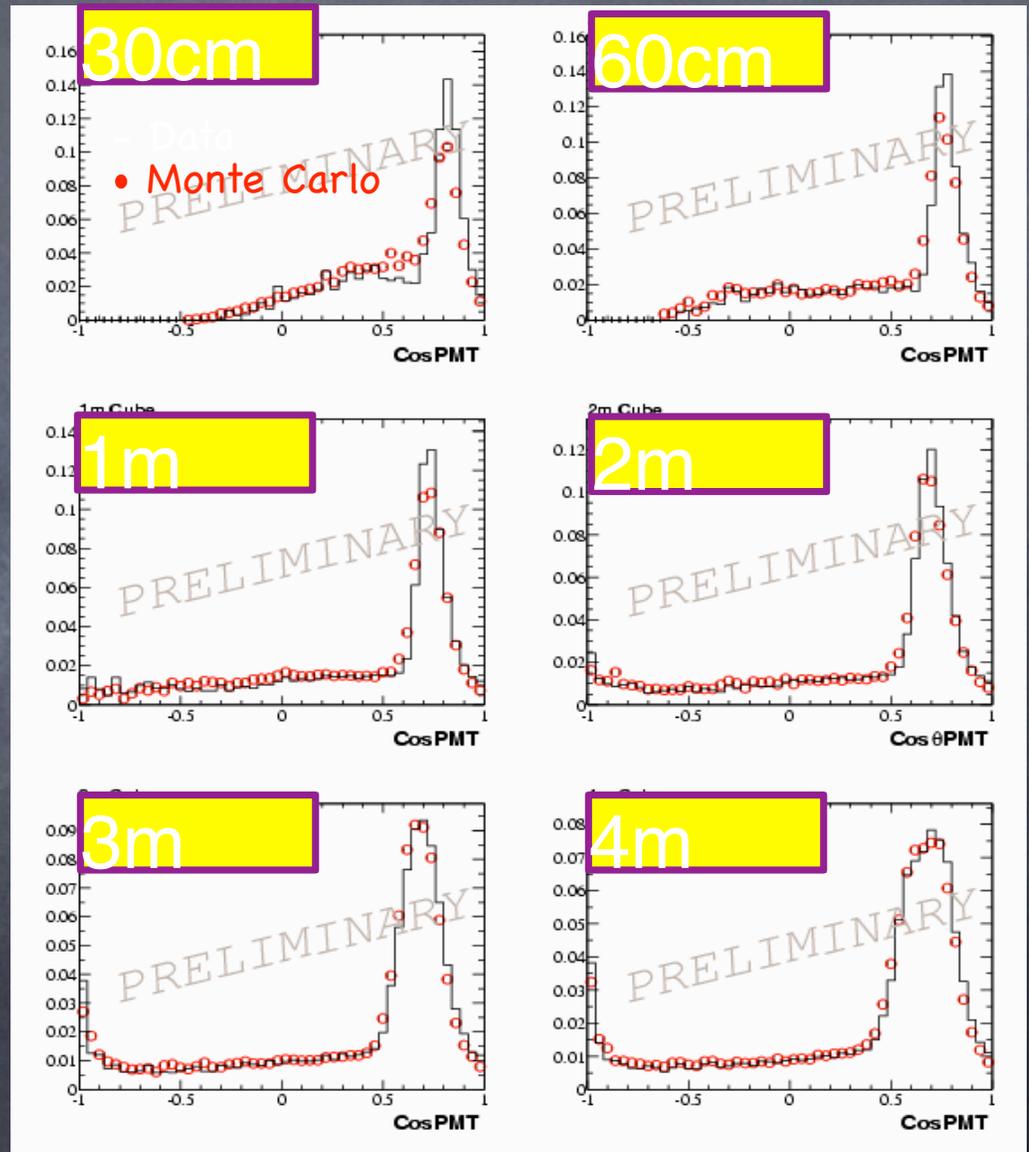
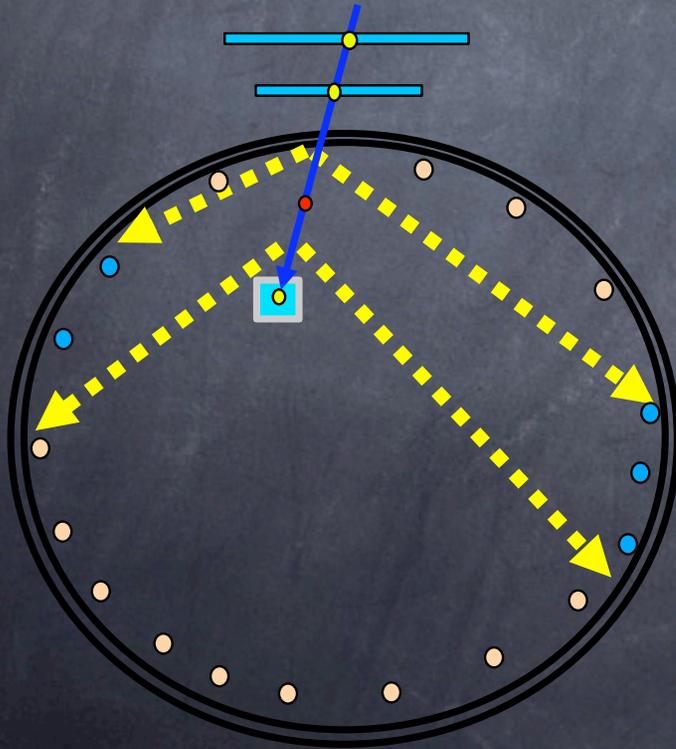


# Calibrating CC Interactions at MiniBooNE

Use muon tracker system to determine the event parameters ( $x$ ,  $t$ ,  $u$ )

Assemble corrected times, angles using known track center

Find Cherenkov rings and time peaks, isotropic and delayed emission

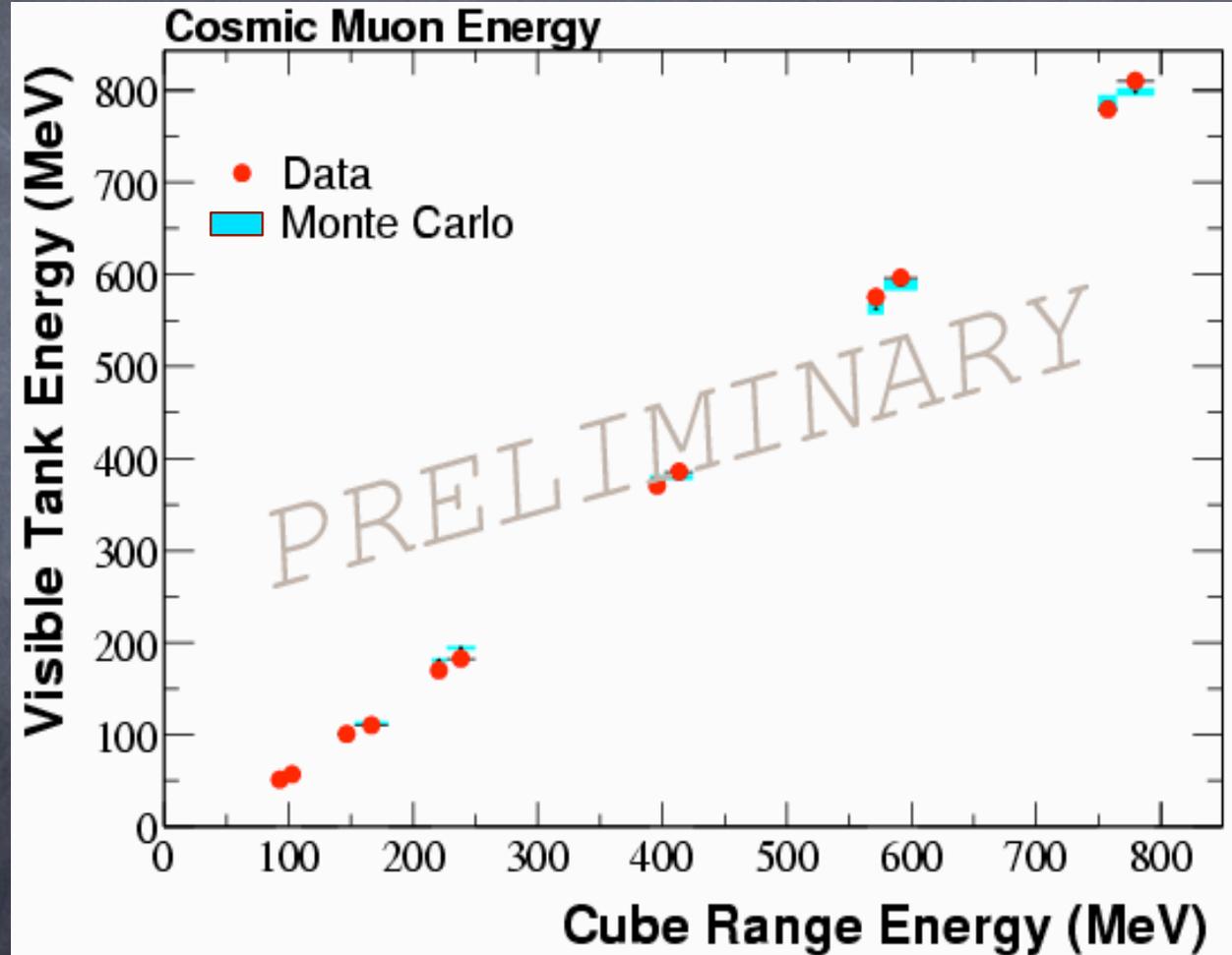


# Calibrating CC Interactions at MiniBooNE

Calibrate  $\mu$  energy reconstruction using range measured with cubes + tracker

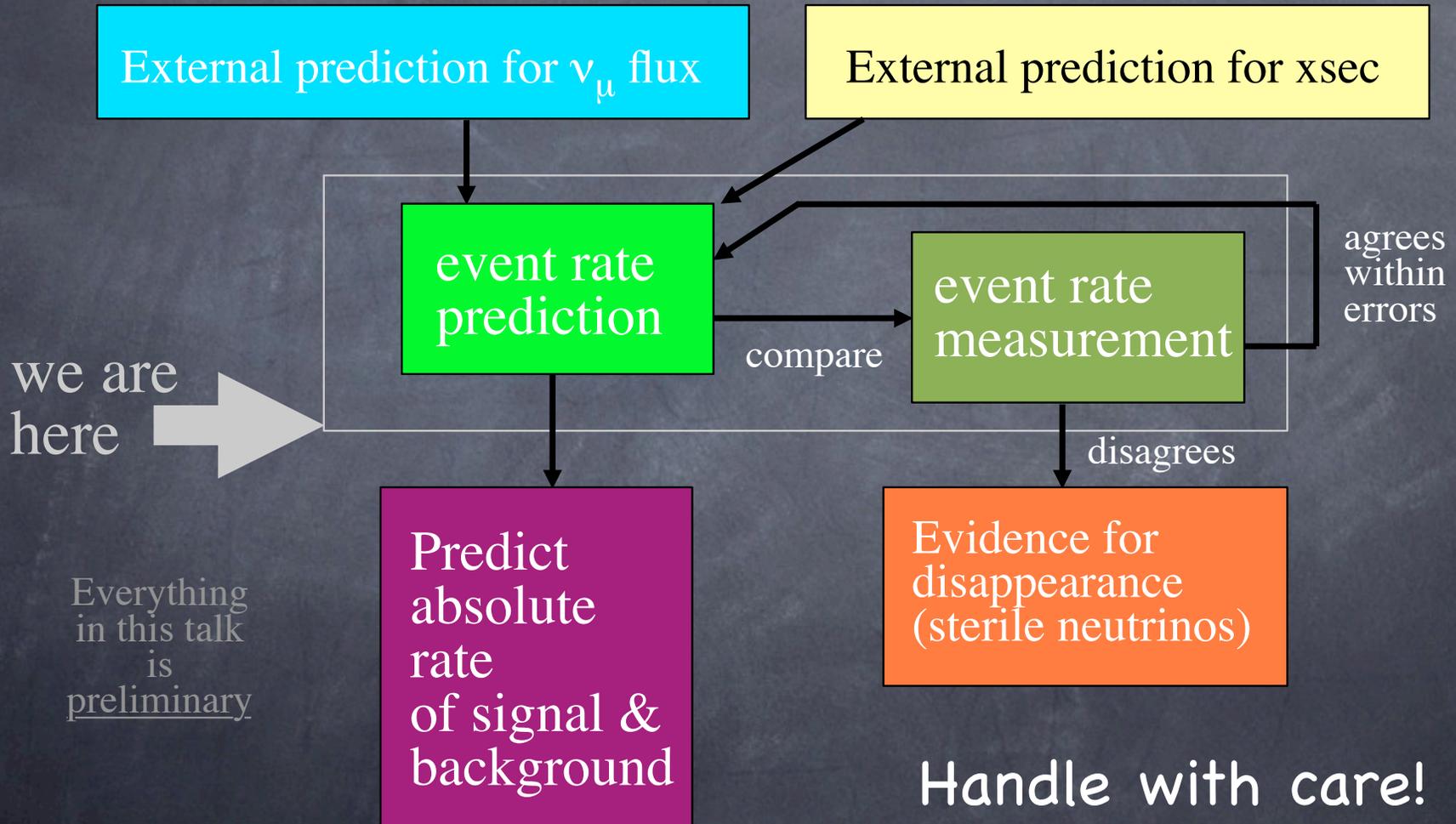
Muon Tracker system energy resolution  $\sim 5\%$

Will be used to set  $\mu$  energy scale (analysis in progress)



( $dE / dx$ )

# Modelling CC Interactions at MiniBooNE



# External Prediction for $\sigma_\nu$

$\sigma$  Predictions from NUANCE v3 MC produce Event Rate Predictions via:

## Theoretical inputs

- Llewellyn Smith free nucleon QE xsec
- non-dipole BBA03 vector form factors
- $m_A = 1.03$  GeV
  
- Rein-Sehgal resonance cross sections
- $m_A = 1.1$  GeV
- Rein-Sehgal coherent cross section
- $m_A = 1.03$  GeV
  
- Bodek-Yang DIS formula for low  $Q^2$
- standard DIS formula for high  $Q^2$
  
- Smith & Moniz Fermi Gas Model
- $\pi$  absorption model tuned on  $\pi$  data
- FSI model rescatters nucleons

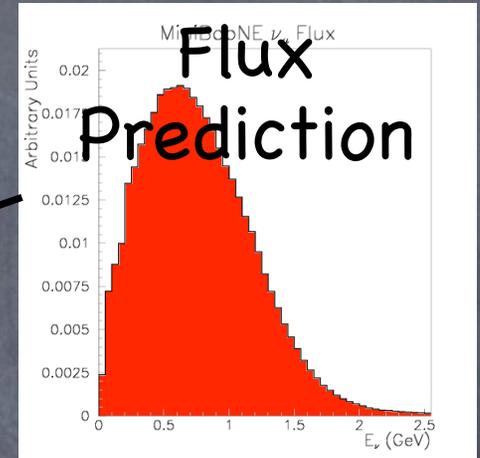
## Analysis Chain

NUANCE v3

MiniBooNE  
Detector  
Monte Carlo  
(Geant3.21)

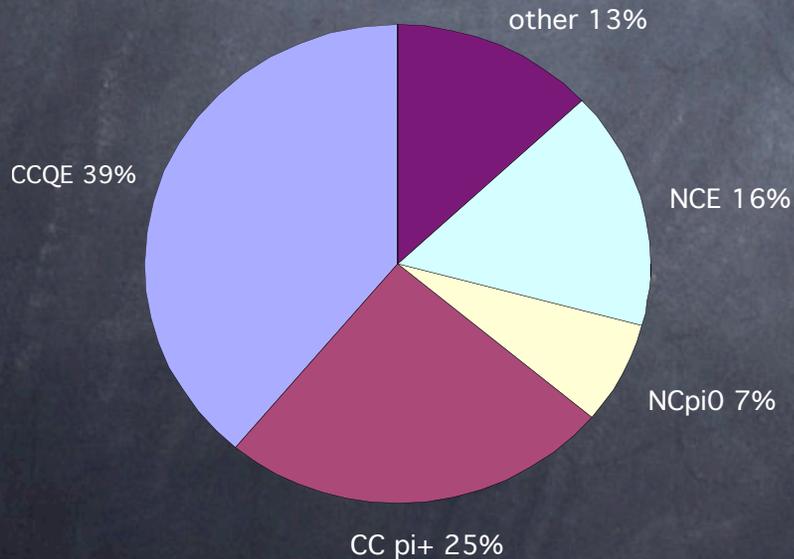
MiniBooNE  
Analysis Framework  
(reconstruction, etc.)

Compare  
with Data



# Event Rate Prediction

- 39% CCQE
- 25% CCpiP
- 16% NC Elastic
- 7% NC  $\pi^0$
- 13% Other



... use Monte Carlo to develop event selection cuts to identify specific final states ...

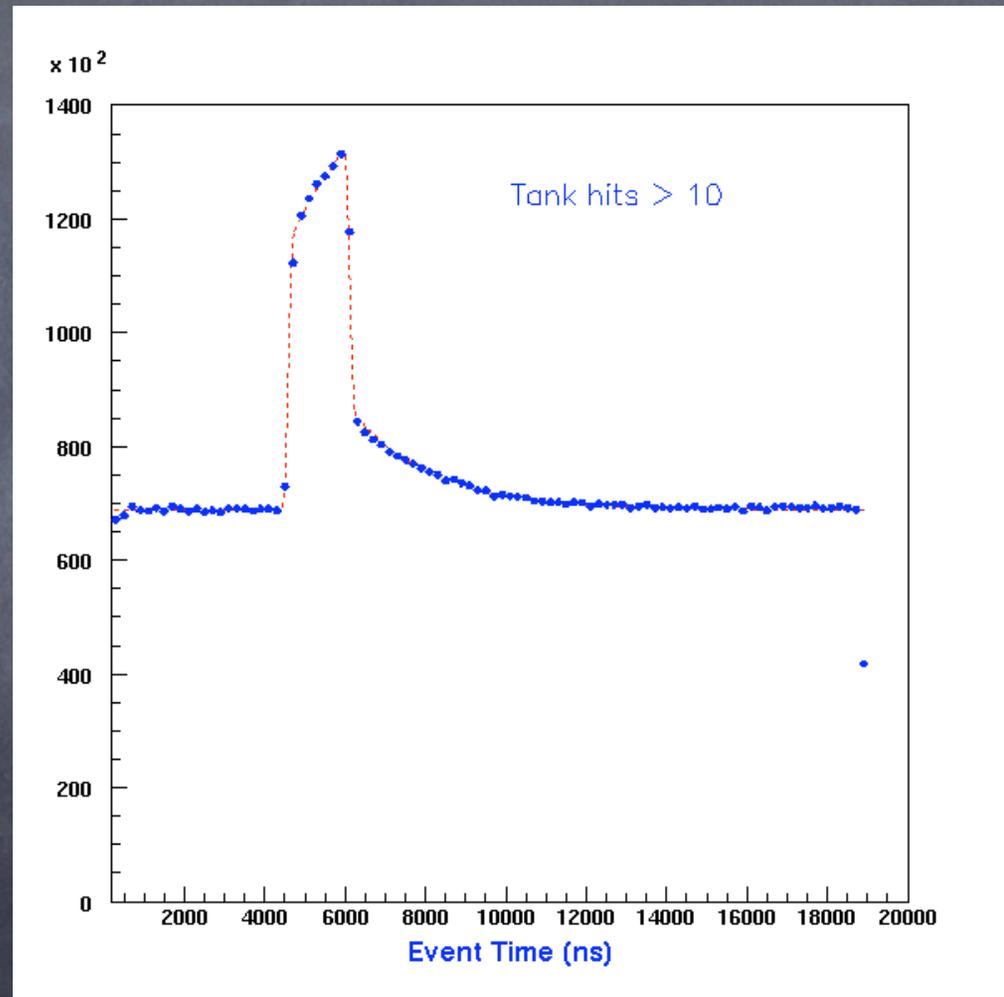
## This Analysis:

- 3.2E20 protons on target
- 60k CCQE events  
(after selection cuts)
- 40k CCpiP events  
(after selection cuts)
- ~ half of current data set

... use Monte Carlo to correct for cut efficiencies ...

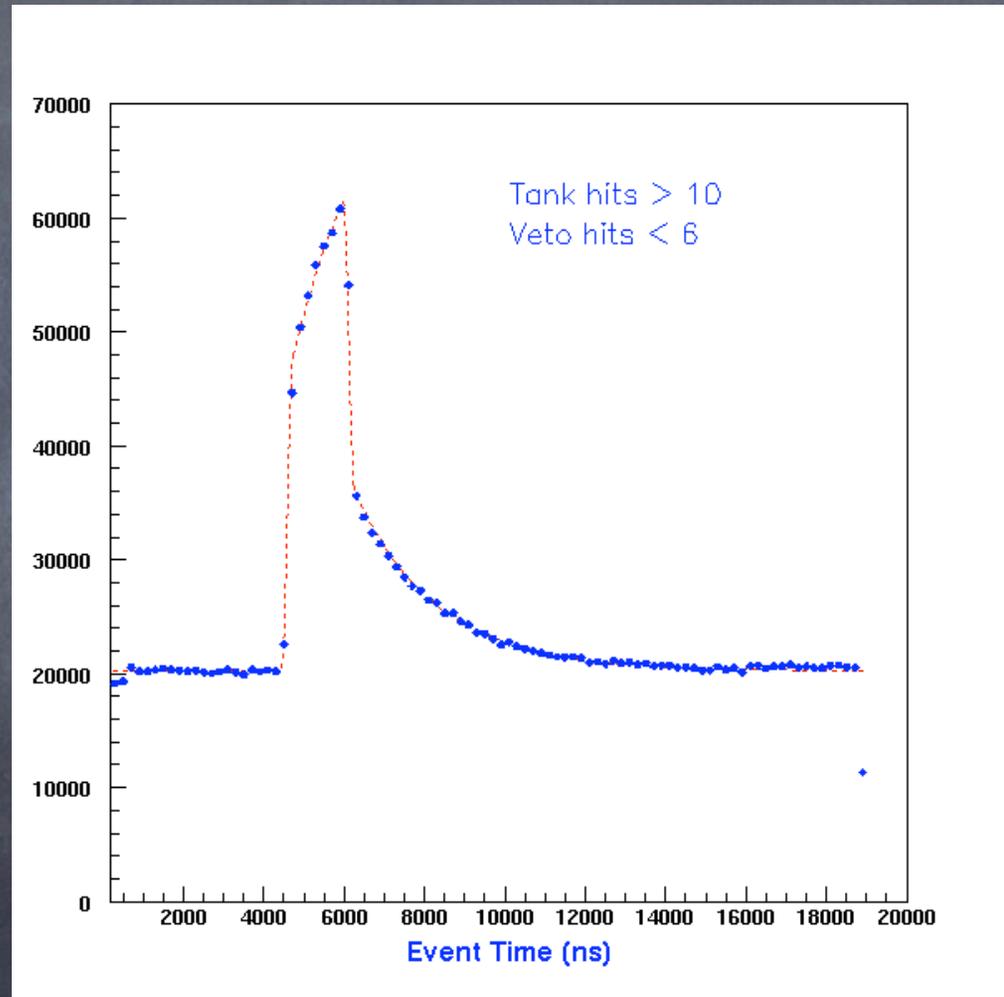
# Simple Neutrino Event Cuts

- Times of hit-clusters (sub-events)
- Beam spill ( $1.6\mu\text{s}$ ) is clearly evident
  - simple cuts eliminate cosmic backgrounds
- Neutrino Candidate Cuts
  - $<6$  veto PMT hits
    - Gets rid of muons
  - $>200$  tank PMT hits
    - Gets rid of Michels



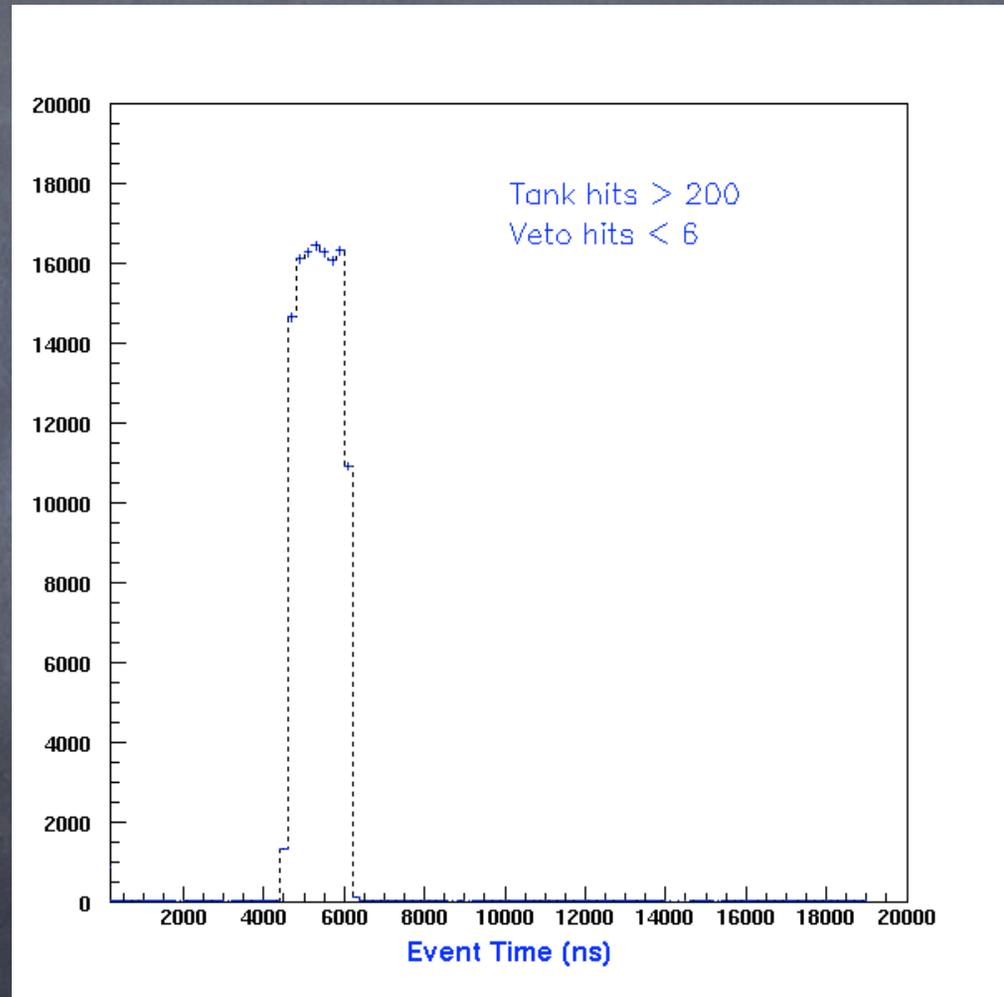
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# Simple Neutrino Event Cuts

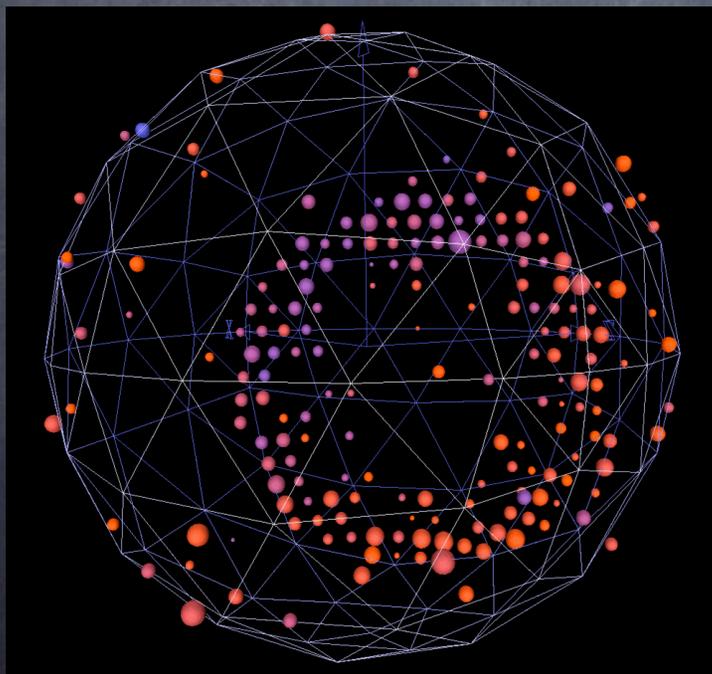
- Times of hit-clusters (sub-events)
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  - simple cuts eliminate cosmic backgrounds
- Neutrino Candidate Cuts
  - $<6$  veto PMT hits
    - Gets rid of muons
  - $>200$  tank PMT hits
    - Gets rid of Michels



# CCQE Event Selection

## First Level of Cuts:

- Neutrino-Induced Event Selection Cuts
- CC Selection Cut
- < 3 sub-events  
(allows 0 or 1 Michels ( $20 < N_{pMT} < 200$ ))



## Signal:



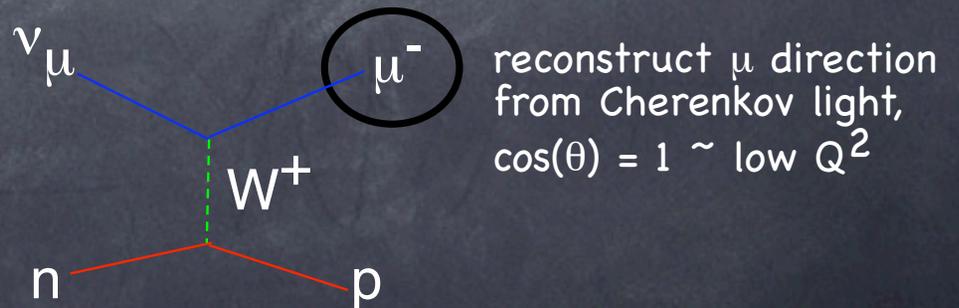
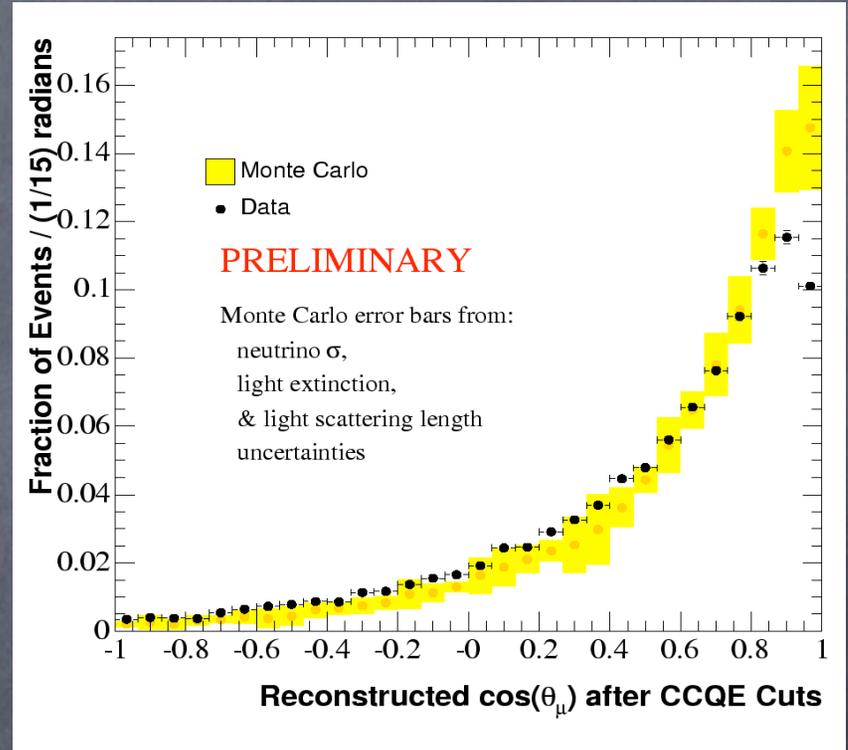
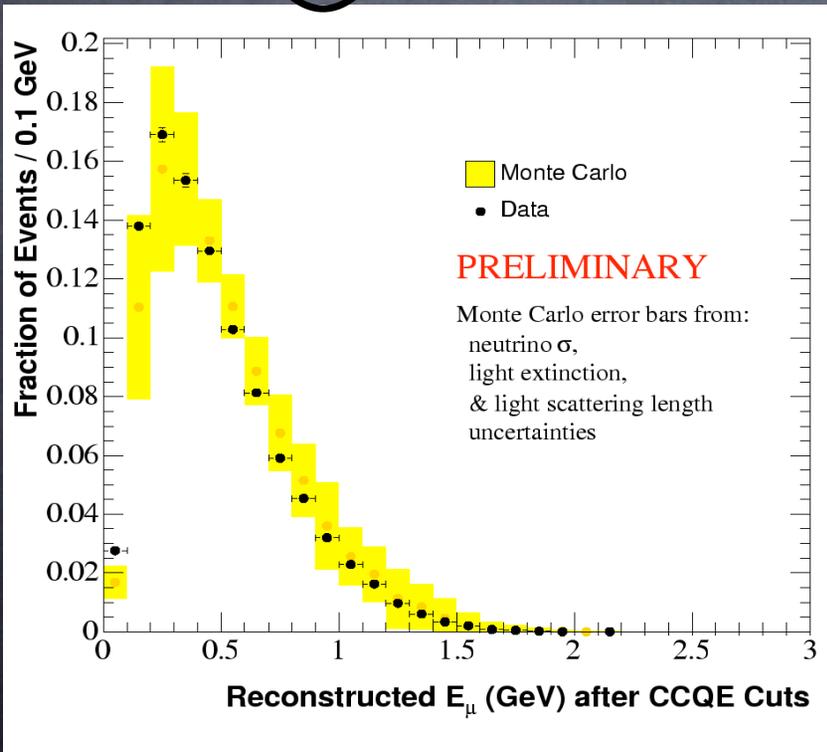
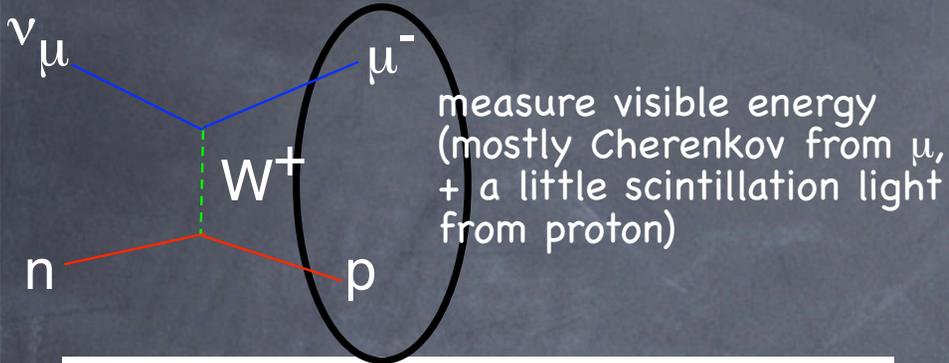
..... time passes .....



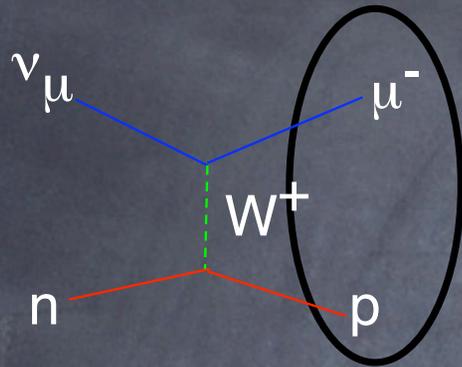
## Second Level Cuts: Final State ID

- event topology
- fraction of on- vs. off- ring light
- PMT hit timing
- fraction of prompt vs. late light
- $\mu$ -like energy loss
- given E, is track length consistent with  $\mu$ ?
- **10 variable Fisher discriminant**
  
- Result: 86% CCQE purity
- most of background from CCPiP
- more pure than in past presentations

# CCQE Data



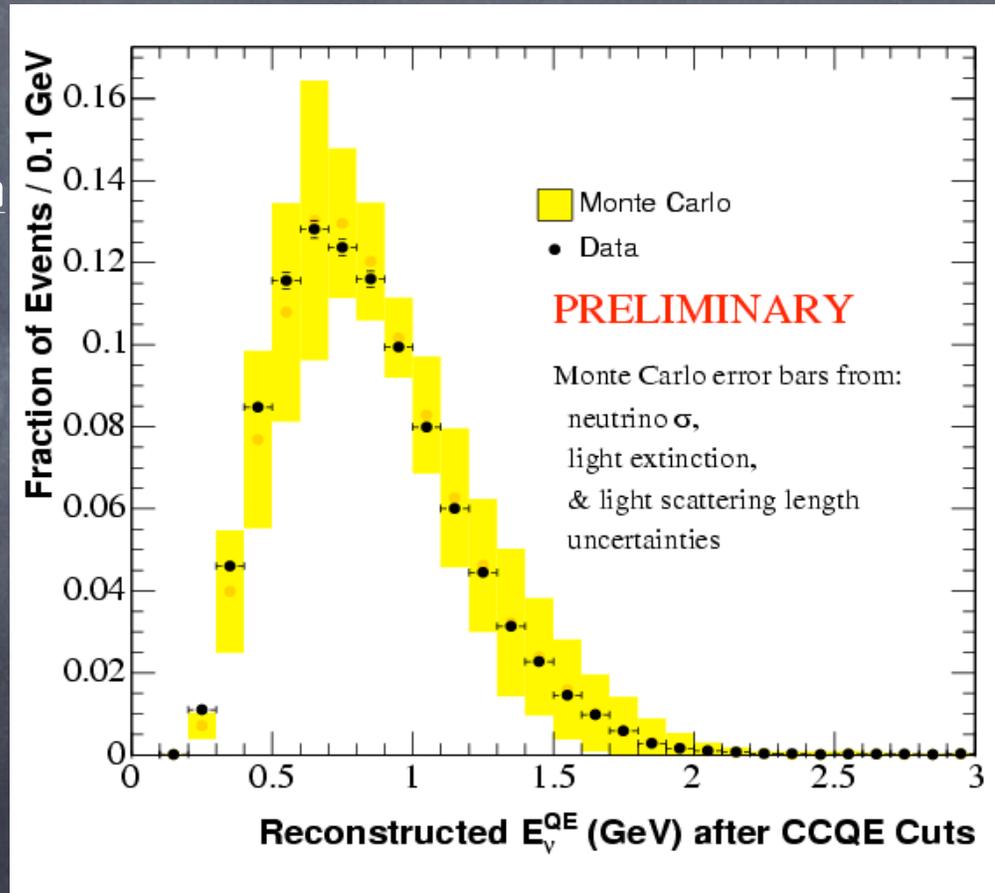
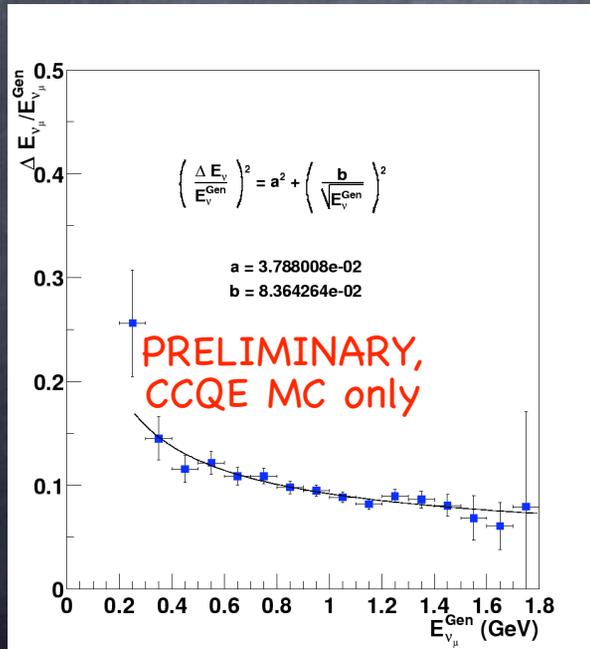
# CCQE Data



use measured  $\mu$   
visible energy  
and angle to  
reconstruct  $E_\nu^{QE}$

$$E_\nu^{QE} = \frac{1}{2} \frac{2M_p E_\mu - m_\mu^2}{M_p - E_\mu + \cos\theta_\mu \sqrt{E_\mu^2 - m_\mu^2}}$$

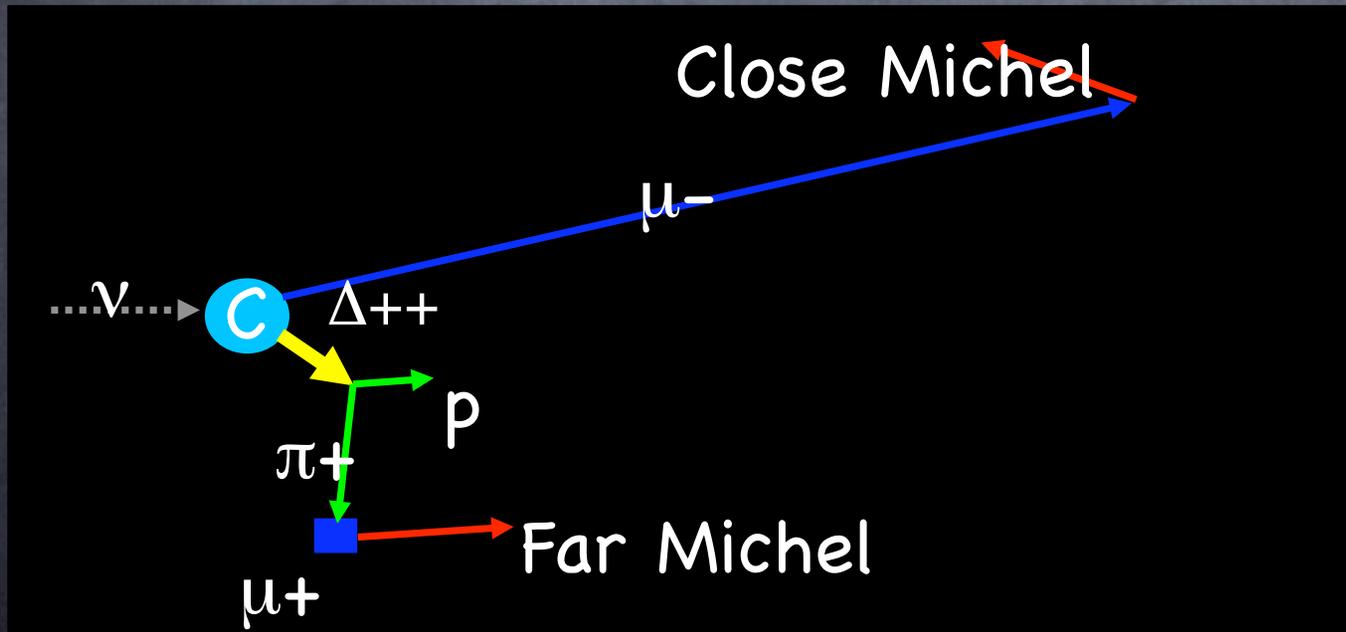
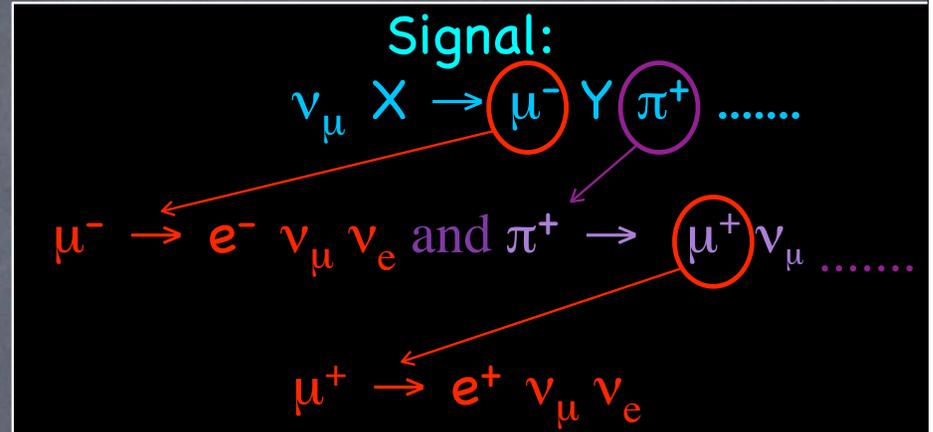
## Neutrino Energy Reconstruction



# CCPiP Event Selection

## First Level of Cuts:

- Neutrino-Induced Event Selection Cuts
- exactly 3 sub-events
- 2<sup>nd</sup> 2 sub-events consistent  
with Michel  $e^-$  ( $20 < N_{pMT} < 200$ )



No  
Final State ID  
Cuts yet ...  
these events  
are complex!

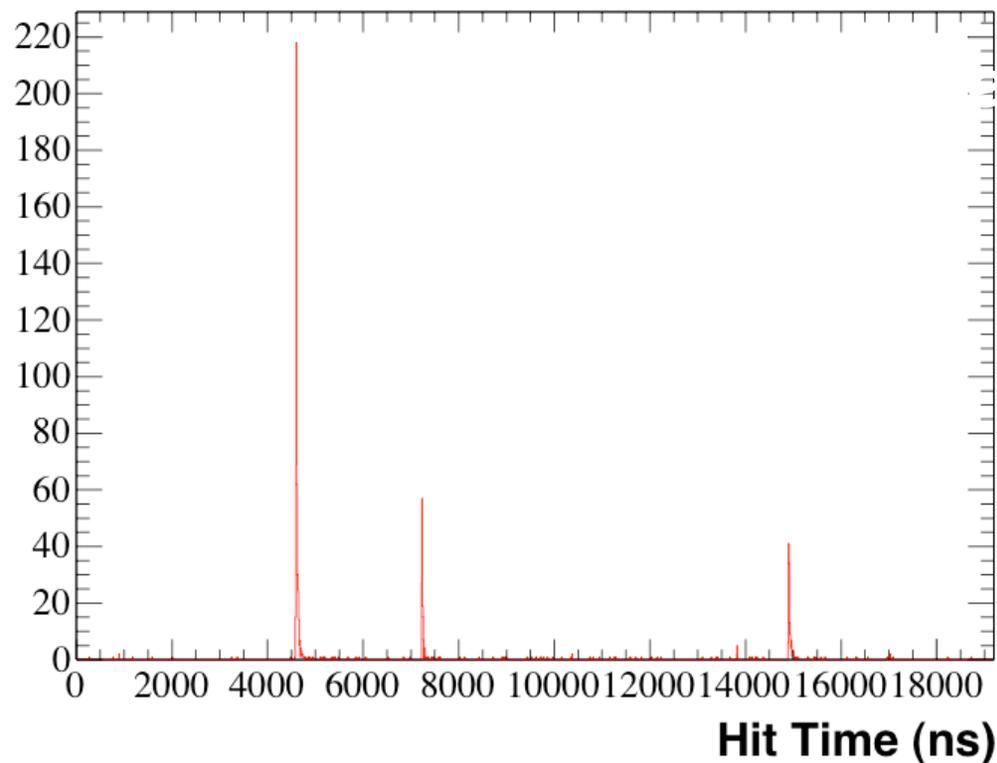
84% purity  
with 1<sup>st</sup> level cuts,  
bgnd from  
 $N\pi$  and QE

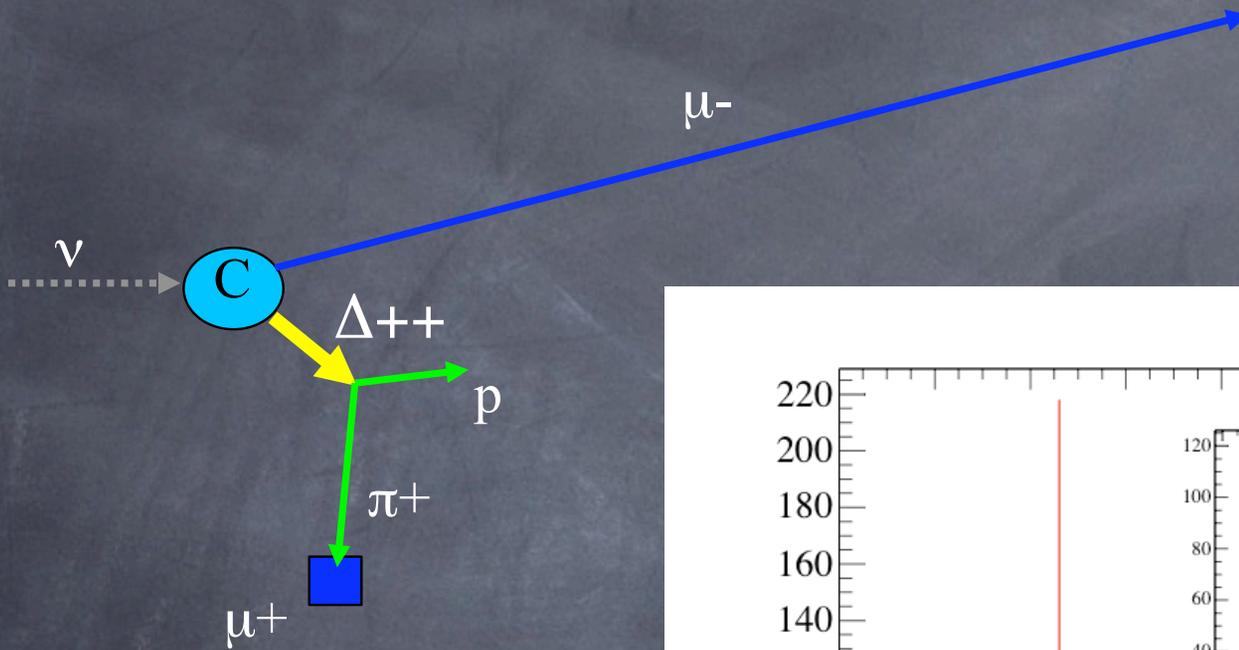
# CCPIP Event Selection: Chain of (Sub)Events



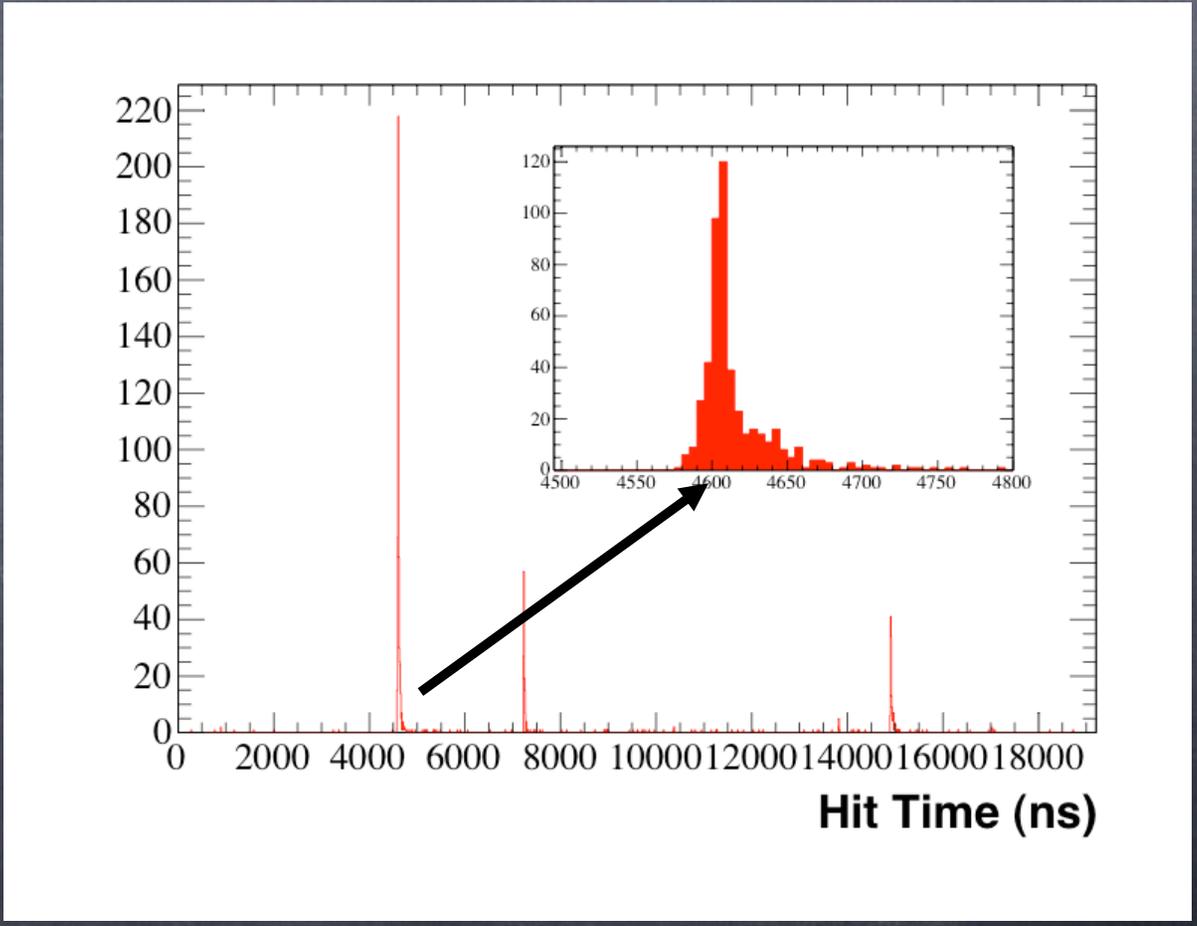
Neutrino interacts  
with carbon  
nucleus

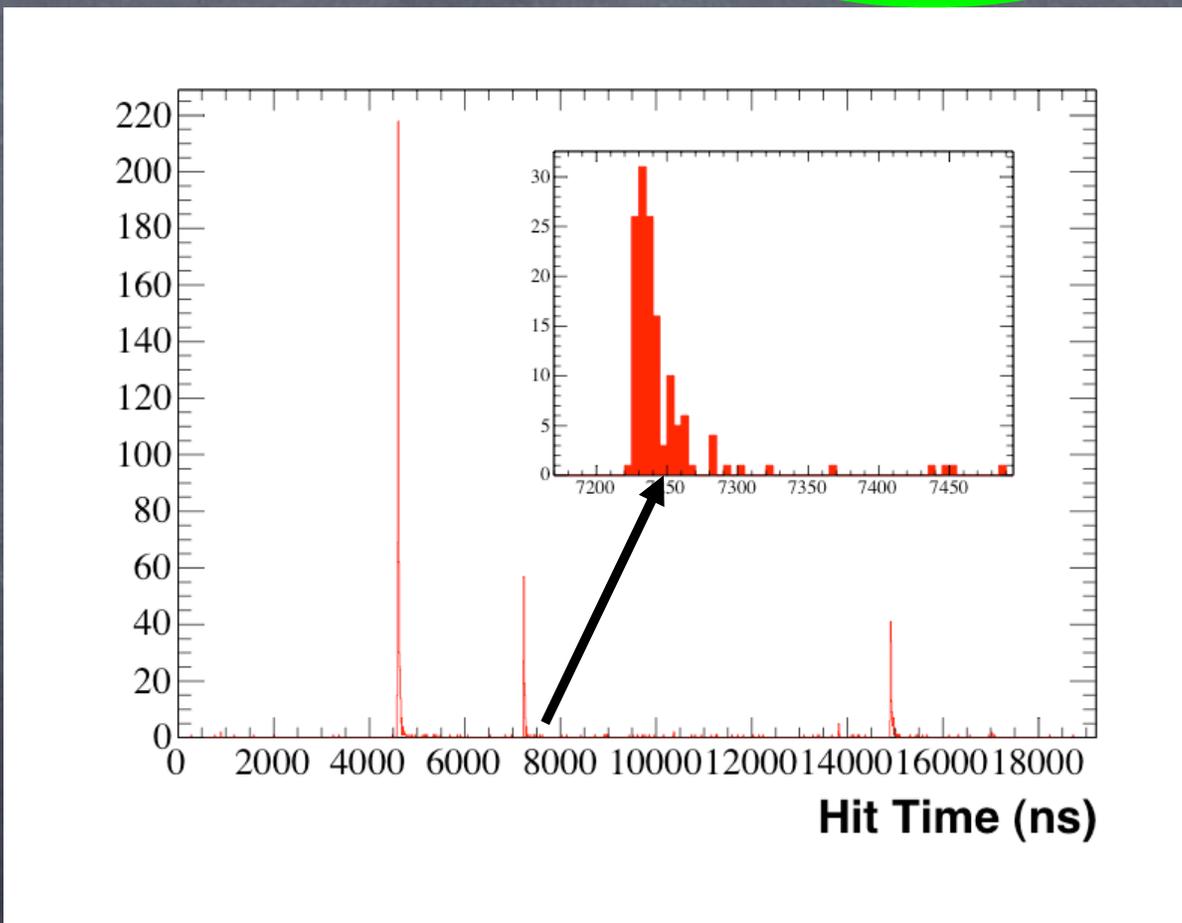
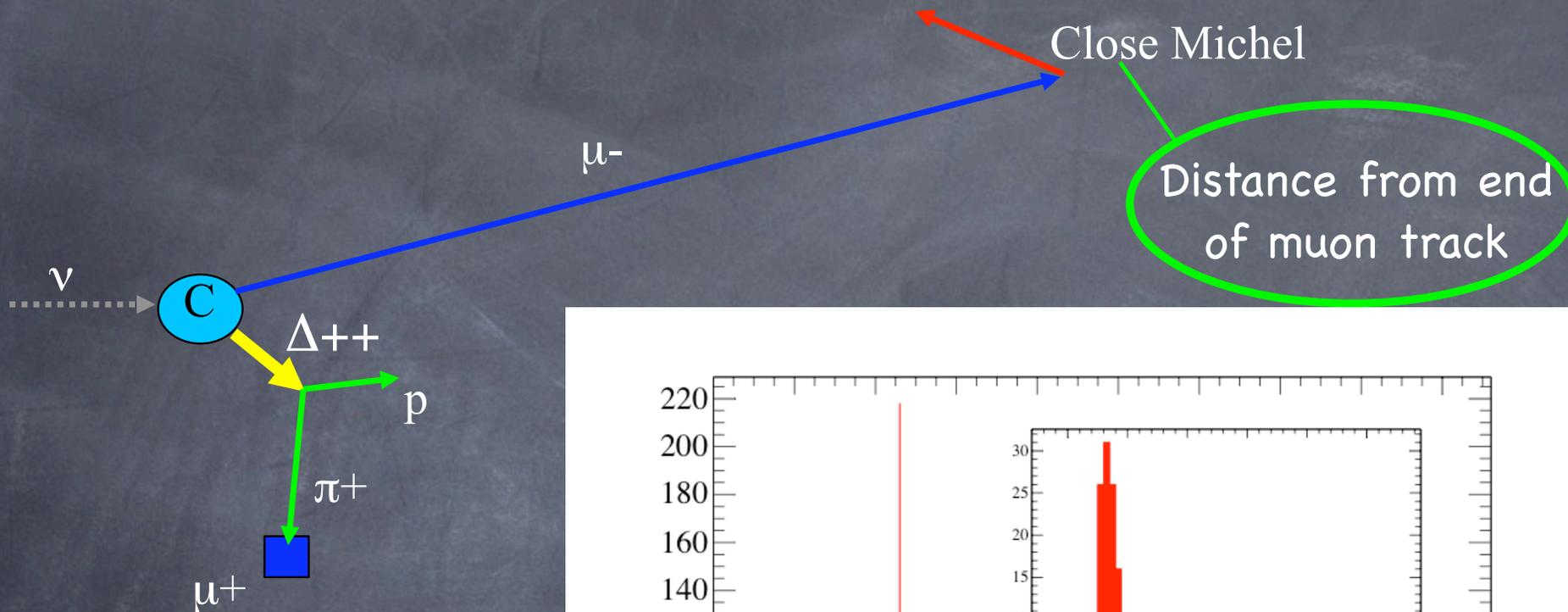
Distribution of hits in a typical CCPIP event





Neutrino subevent  
 Use these hits to  
 reconstruct neutrino  
 properties  
 Fit for muon  
 Cherenkov ring

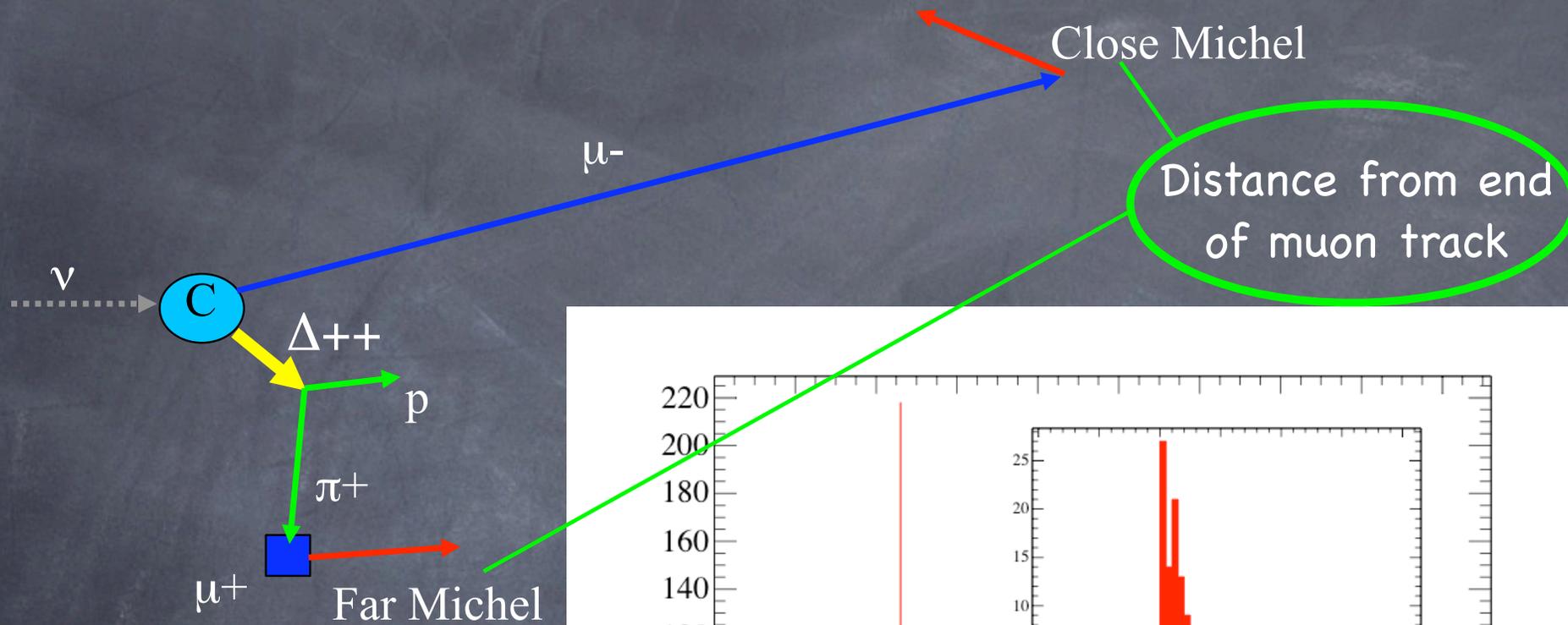




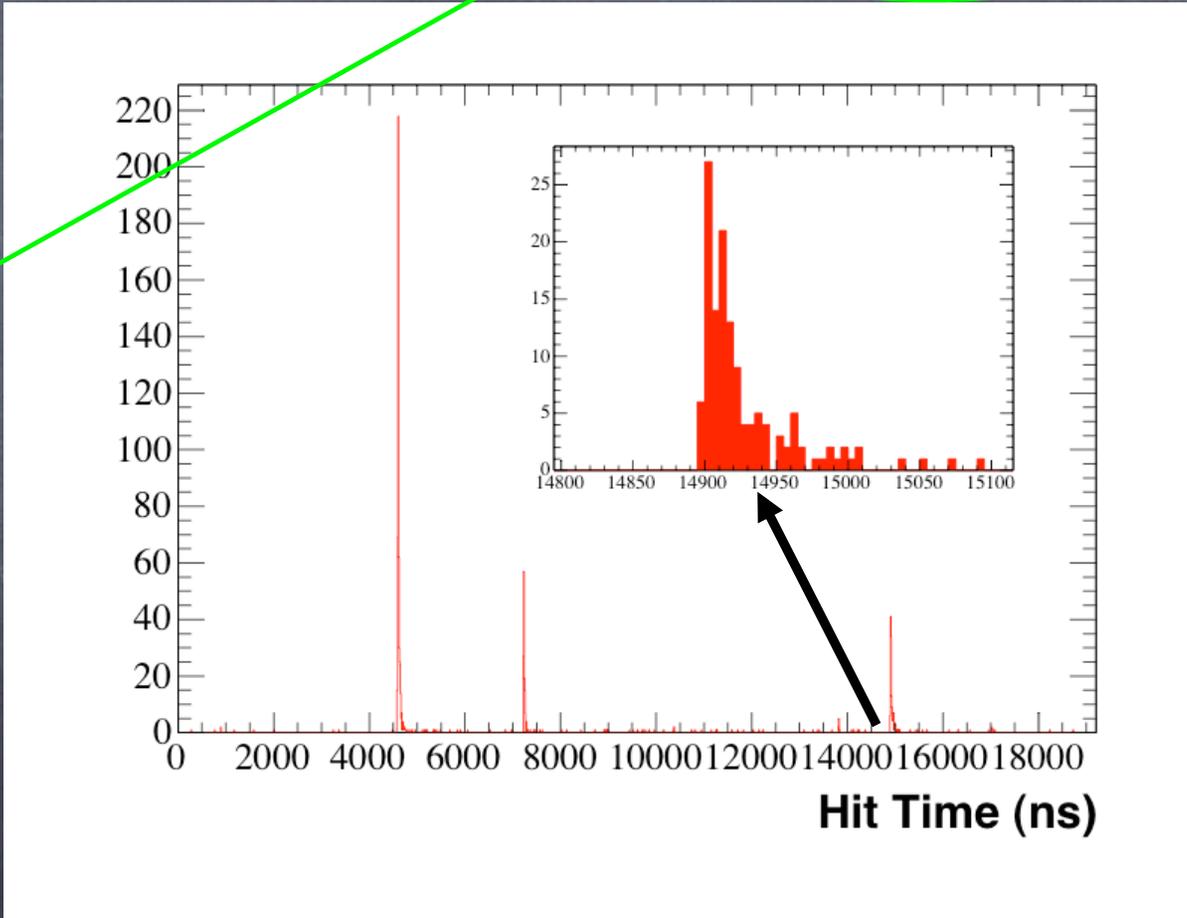
1<sup>st</sup> Michel  $e^\pm$  subevent

Could be from  $\mu^-$  or  $\pi^+(\mu^+)$  decay

In this case, I've drawn it as  $e^-$



Distance from end of muon track



2<sup>nd</sup> Michel  $e^\pm$  subevent

Can use Michel subevents to help understand the neutrino subevent

# CCPiP Event Selection Validation

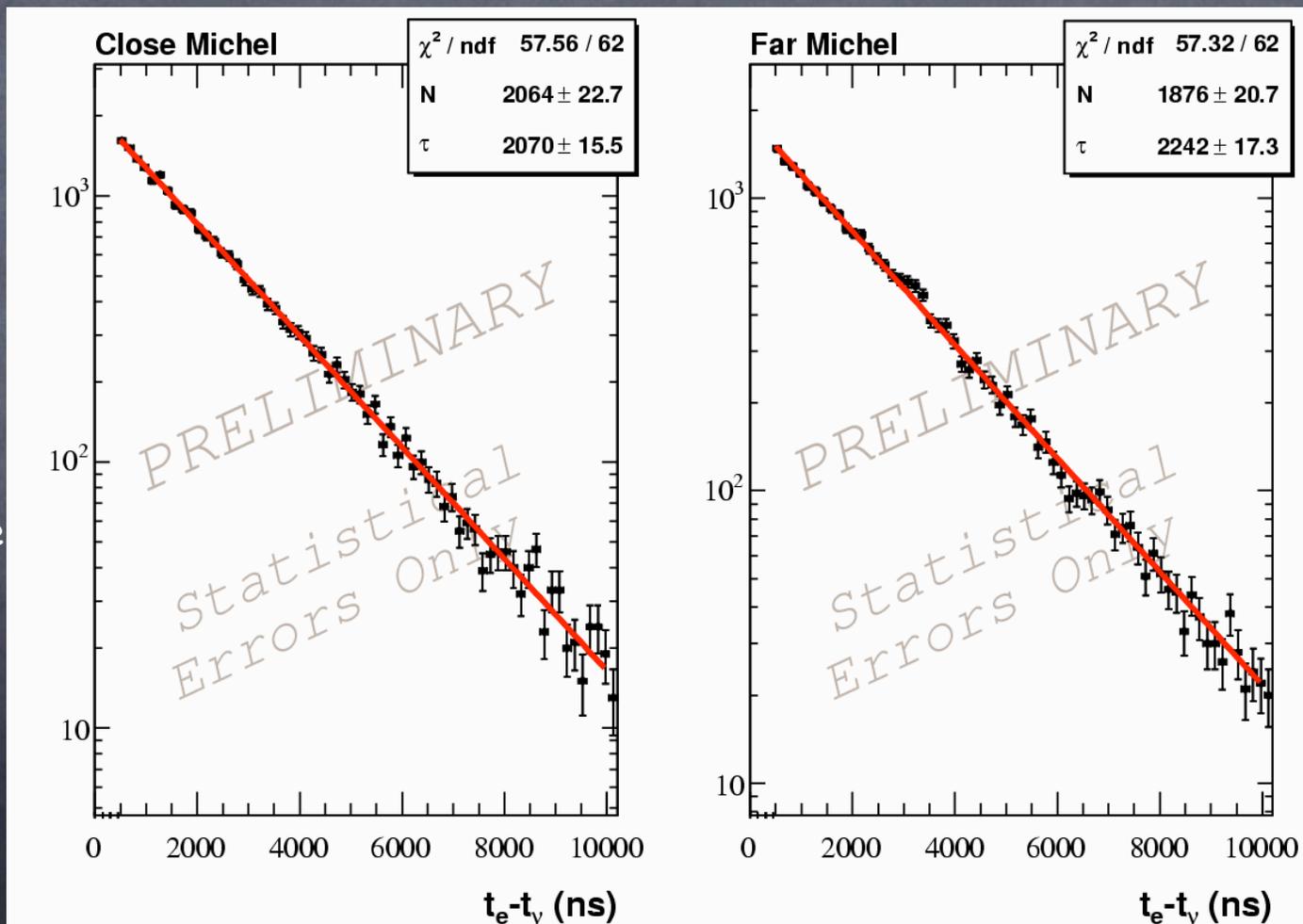
- validate CCPiP event selection with  $\mu^+$  and  $\mu^-$  lifetime measurement
- separated Michels from  $\mu^+$  and  $\mu^-$  by distance to  $\mu^-$  track

- close:  
 $\mu^-$  capture (8%)

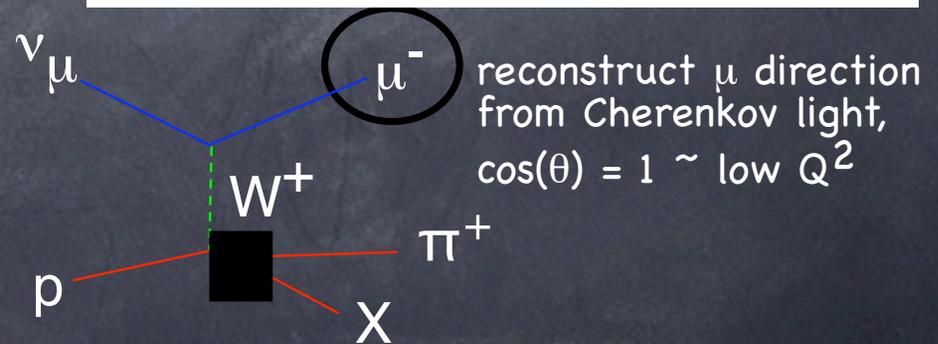
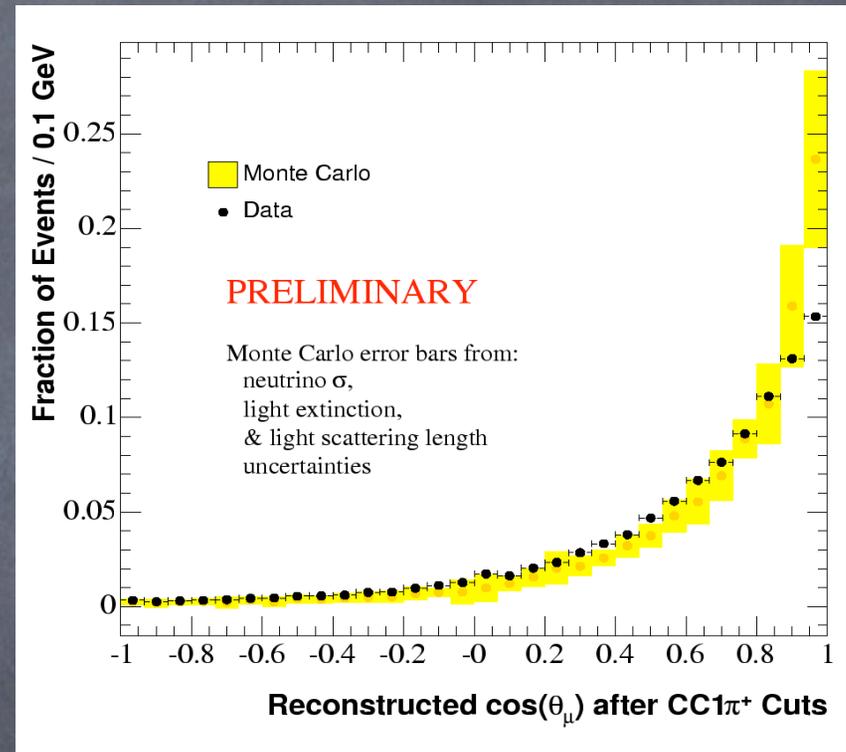
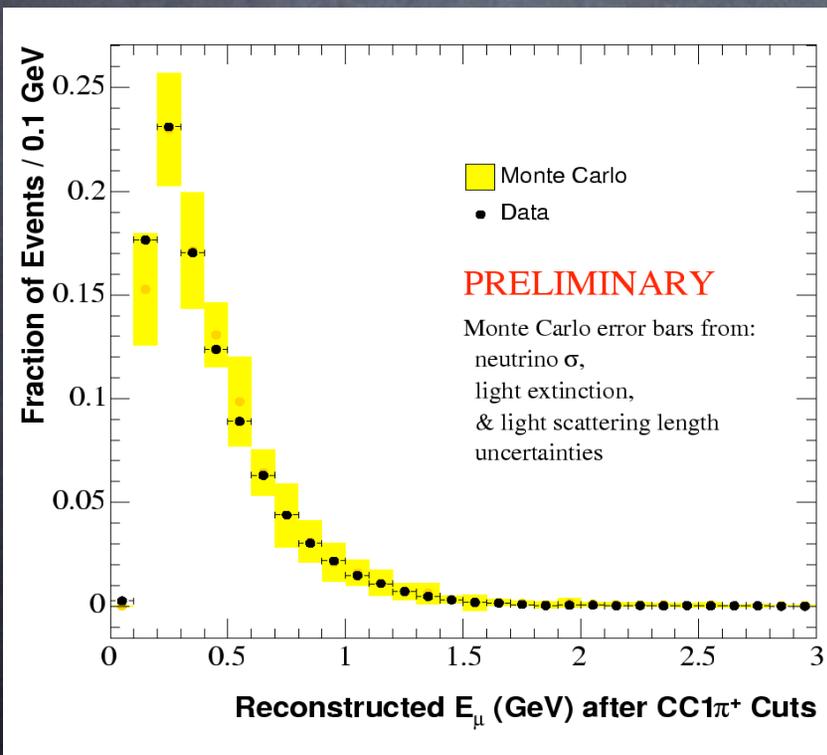
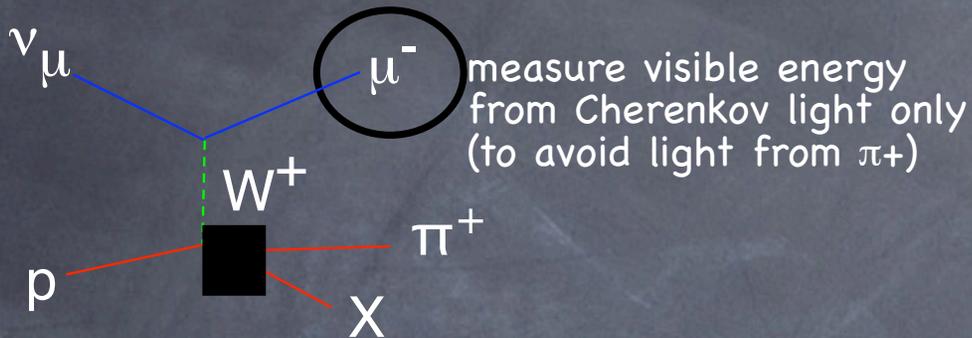
expect  
 $\tau=2026\pm 1.5$  ns  
measure  
 $\tau=2070\pm 15.5$  ns

- far:  
 $\mu^+$ : do not capture

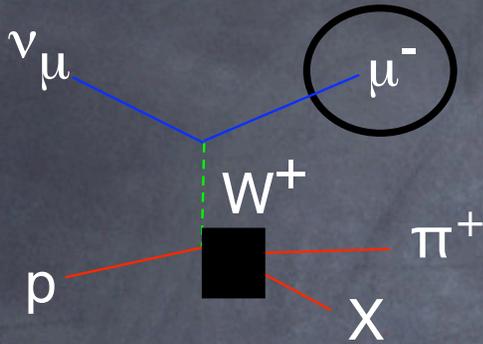
expect  
 $\tau=2197.03\pm 0.04$  ns  
measure  
 $\tau=2242\pm 17.3$  ns



# CCPiP Data



# CCPiP Data

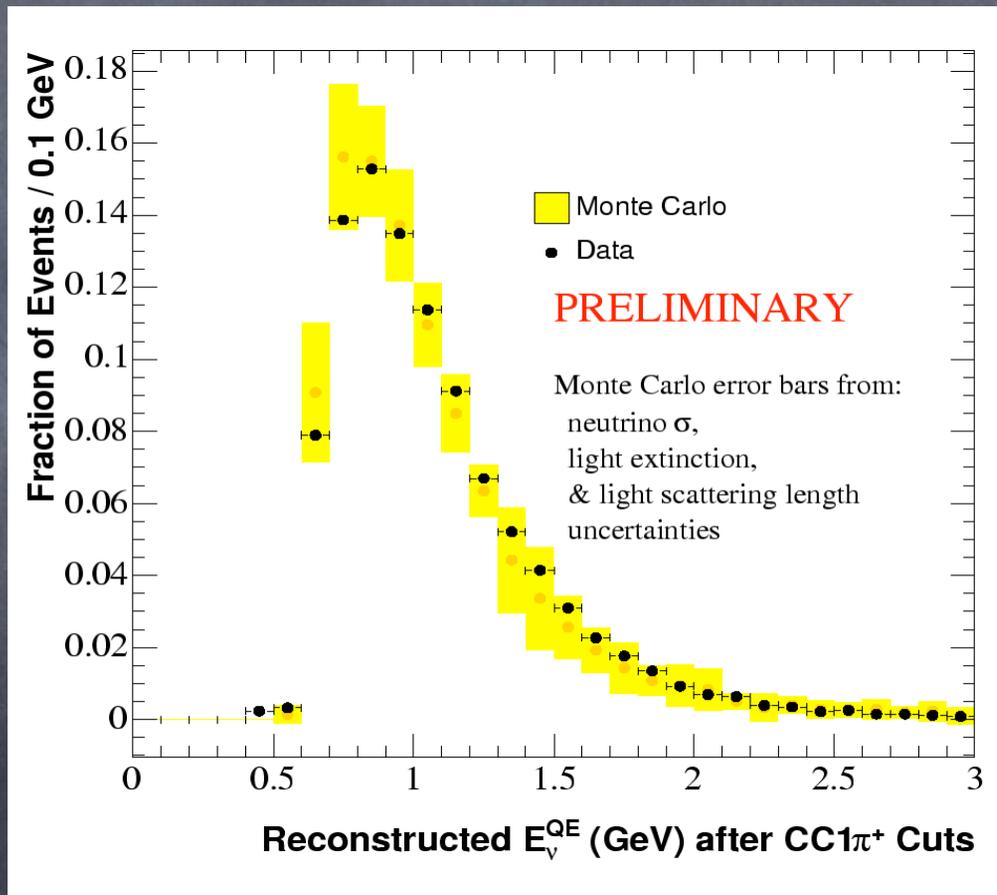


use measured  $\mu$  visible energy and angle to reconstruct  $E_{\nu}^{QE}$

$$E_{\nu}^{QE} = \frac{1}{2} \frac{2m_p E_{\mu} + m_{\Delta}^2 - m_p^2 - m_{\mu}^2}{M_p - E_{\mu} + \cos\theta_{\mu} \sqrt{E_{\mu}^2 - m_{\mu}^2}}$$

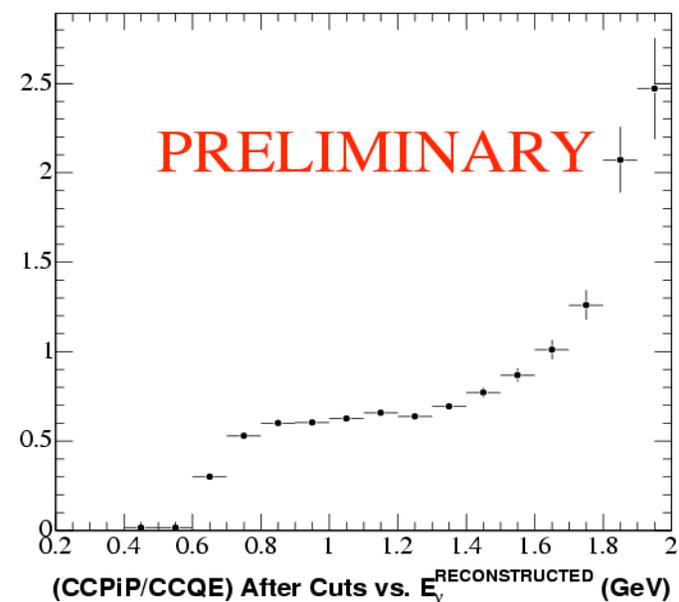
## Neutrino Energy Reconstruction

- Assume 2 body (QE) kinematics
- Assume Delta 1232 in final state instead of a proton (as in CCQE)
- ~20% resolution



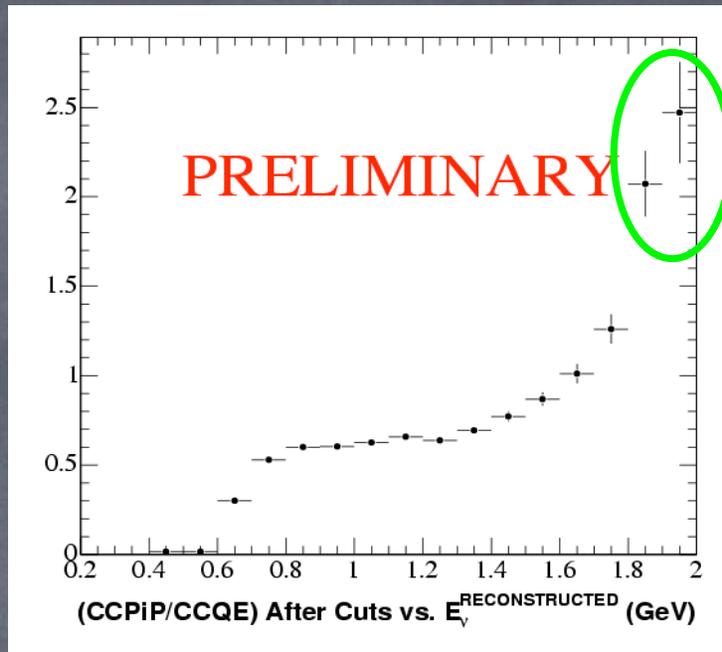
## CCPiP/CCQE Ratio

- Without cut efficiency corrections:
- measured  $N(\text{CCPiP})/N(\text{CCQE})$  vs.  $E_{\nu}^{\text{QE}}$



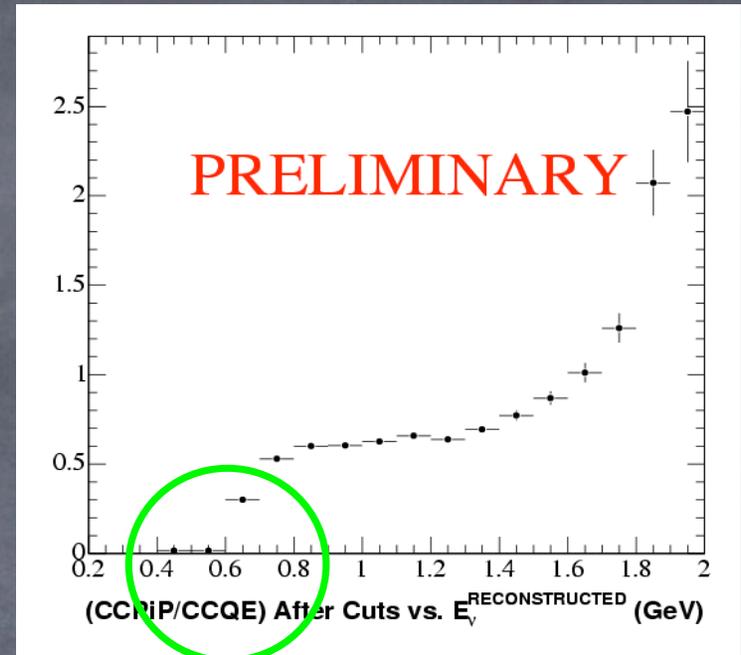
## CCPiP/CCQE Ratio

- Without cut efficiency corrections:
- measured  $N(\text{CCPiP})/N(\text{CCQE})$  vs.  $E_{\nu}^{\text{QE}}$
- CCQE cut efficiency degrades at high E due to exiting  $\mu$



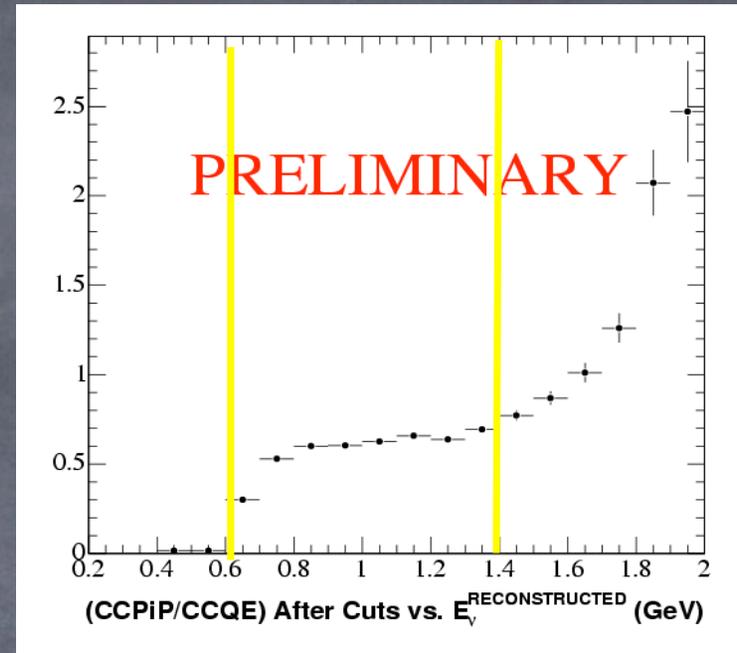
## CCPiP/CCQE Ratio

- Without cut efficiency corrections:
- measured  $N(\text{CCPiP})/N(\text{CCQE})$  vs.  $E_{\nu}^{\text{QE}}$
- CCQE cut efficiency degrades at high E due to exiting  $\mu$
- CCPiP threshold  $>$  CCQE



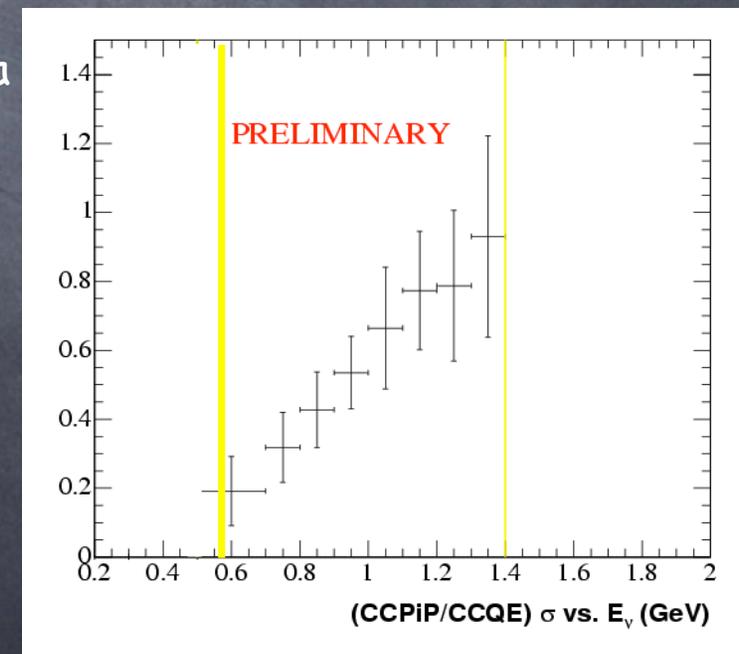
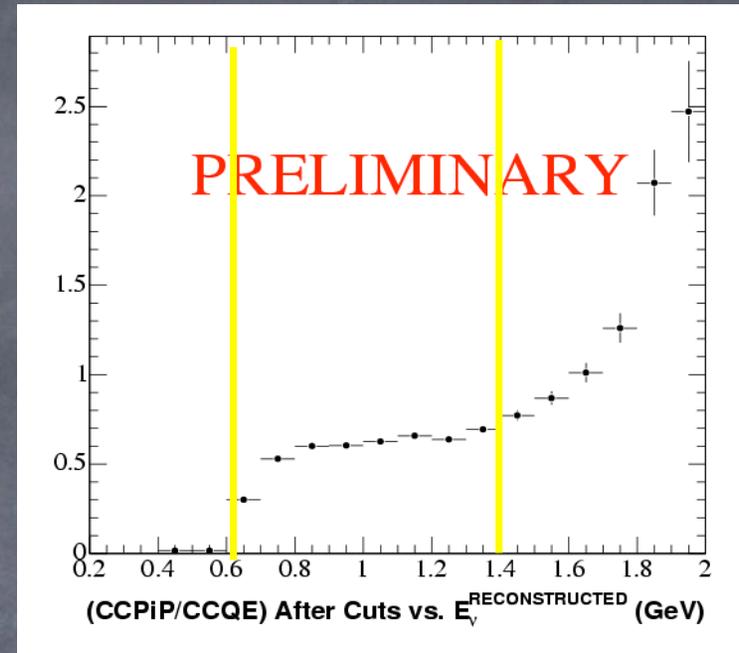
# CCPiP/CCQE Ratio

- Without cut efficiency corrections:
- measured  $N(\text{CCPiP})/N(\text{CCQE})$  vs.  $E_{\nu}^{\text{QE}}$
- CCQE cut efficiency degrades at high E due to exiting  $\mu$
- CCPiP threshold  $>$  CCQE
- Motivation for measuring (CCPiP/CCQE) ratio:
  - possibility of  $\nu_{\mu}$  disappearance
  - like branching ratio measurements, normalize to "golden mode" in our own data
  - CCQE is the "golden mode" of low E  $\nu \sigma$



# CCPiP/CCQE Ratio

- Without cut efficiency corrections:
- measured  $N(\text{CCPiP})/N(\text{CCQE})$  vs.  $E_\nu^{\text{QE}}$
- CCQE cut efficiency degrades at high E due to exiting  $\mu$
- CCPiP threshold > CCQE
- Motivation for measuring (CCPiP/CCQE) ratio:
- possibility of  $\nu_\mu$  disappearance
- like branching ratio measurements  
normalize to "golden mode" in our own data
- CCQE is the "golden mode" of low E  $\nu$   $\sigma$ s
- Efficiency corrected ratio measurement:
- estimate efficiency correction in MC
- systematic errors:  $\nu$  cross sections (~15%),  
 $\gamma$  extinction and scattering in oil (~20%),  
energy scale (~10%)
- $\delta^{\text{SYS}}_{\text{TOTAL}}(E_\nu) \sim 20$  to 30%,  
 $\delta^{\text{STAT}}(E_\nu) \sim 5$  to 6%



# Sources of Uncertainty

- V cross section uncertainties:

<i>parameter varied</i>	<i>variation amount</i>
coherent $\pi$ production	-100% (off)
$\Delta$ Breit-Wigner width	+4.2%
$E_{\text{Binding}}, p_{\text{Fermi}}$	+100%, +14%
$M_A(1\pi)$	+20%
$M_A(n\pi)$	+20%
$M_A(\text{QE})$	+35%
$\sigma_{\pi \rightarrow X}$	+25%
$\sigma_{\text{charge-exchange}}$	+30%
$P(\Delta N \rightarrow NN)$	+50%

- assessed inside the nucleus (in the NUANCE Monte Carlo)

- size of parameter variations estimated from past data

- parameters are assumed to be uncorrelated for now

- CCPiP:

- no errors on signal, all errors on background

- CCQE:

- Fermi Gas Model &  $m_A^{\text{QE}}$  errors on signal, all errors on background

# Sources of Uncertainty

$\gamma$  propagation in detector oil (optical model) uncertainties:

<i>parameter varied</i>	<i>variation amount</i>
extlen(460nm)	+33%
Rayleigh A & B	-16%
Raman	-16%

- assessed inside the detector oil (in the Geant3 Detector Monte Carlo)
- size of parameter variations estimated from external and internal measurements
- parameters are assumed to be uncorrelated for now
- incomplete list

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## $\nu$ Flux Uncertainties

- do not enter here because we normalize to "golden mode" in our own data (effectively enter through CCQE  $\sigma$  uncertainties)
- (HARP results expected to improve flux uncertainties)

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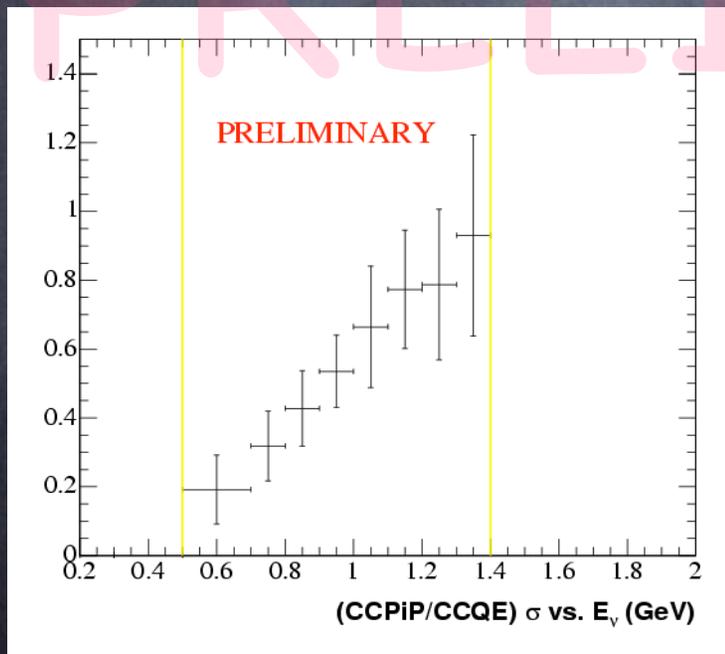
## Preliminary $\rightarrow$ Final:

- estimate / measure parameter (anti-)correlations
- reduce detector optical model uncertainties with continued analysis of calibration data
- reduce  $\nu$   $\sigma$  uncertainties with analysis of electron scattering data
- consistent  $\pi$  interaction uncertainties in NUANCE and detector Monte Carlo

# CCPIP/CCQE Ratio

- efficiency corrected ratio measurement as a function of  $\nu$  energy:

$$R_{Measured} = \frac{N_{CCPIP}}{N_{CCQE}} = \frac{\sigma_{CCPIP}}{\sigma_{CCQE}}$$



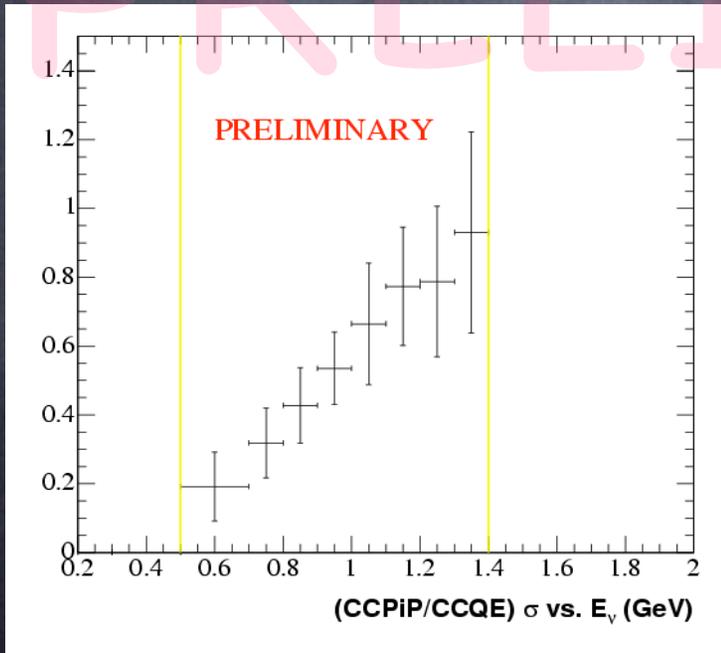
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$$R_{Measured} = \frac{N_{CCPIP}}{N_{CCQE}} = \frac{\sigma_{CCPIP}}{\sigma_{CCQE}}$$

- use "golden mode" to convert to  $\sigma(\text{CCPiP})$ :

$$\sigma(\text{CCPIP}) = R_{Measured} \times \sigma_{\text{NUANCE}}$$



Multiply by  
NUANCE MC  
 $\sigma_{\text{CCQE}}$

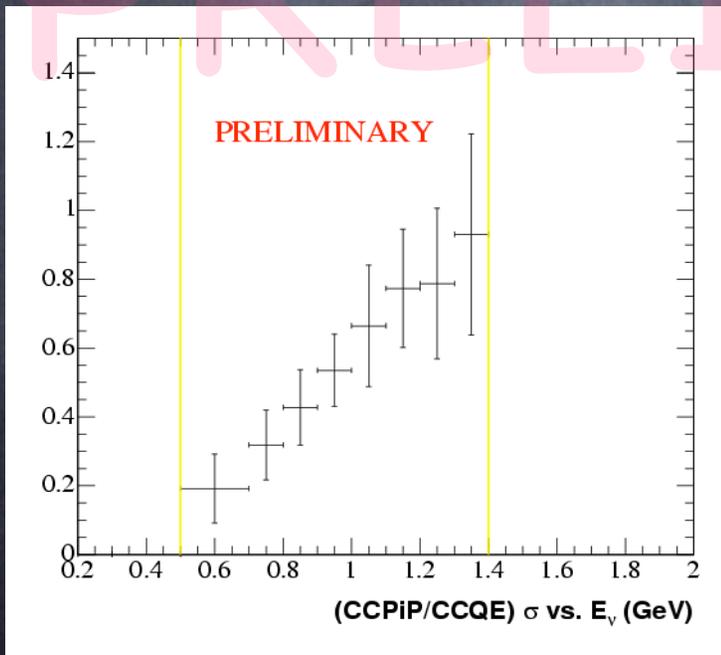
# CCPiP/CCQE Ratio

- efficiency corrected ratio measurement as a function of  $\nu$  energy:

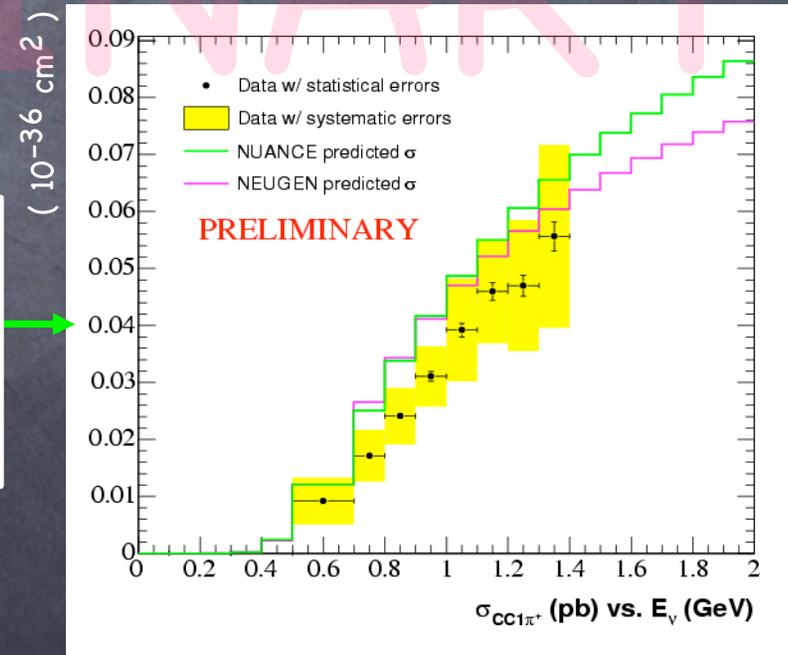
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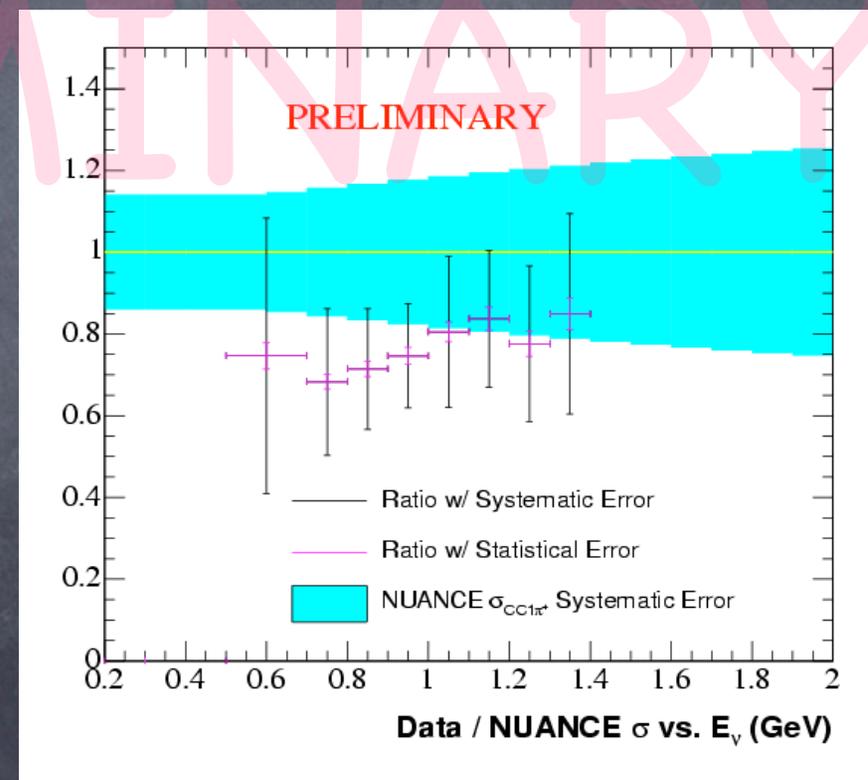
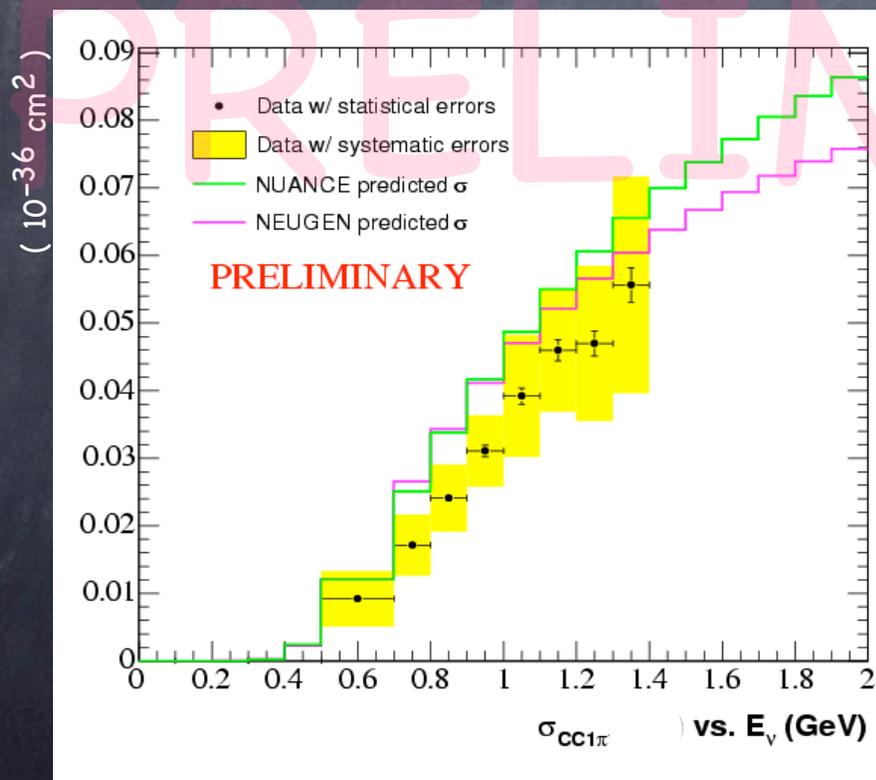


Multiply by  
NUANCE MC  
 $\sigma$  CCQE



# CCPiP/CCQE Ratio

- compare with NUANCE MC prediction
- recall  $\sigma(\text{CCPiP})$  includes  $\nu_{\mu}p \rightarrow \mu^{-}p\pi^{+}$ ,  $\nu_{\mu}n \rightarrow \mu^{-}n\pi^{+}$ , and  $\nu_{\mu}A \rightarrow \mu^{-}A\pi^{+}$
- ratio to predicted  $\sigma_{\text{NUANCE}}(\text{CCPiP})$  is  $\sim 75\%$ , but within  $\delta\sigma_{\text{NUANCE}}(\text{CCPiP})$

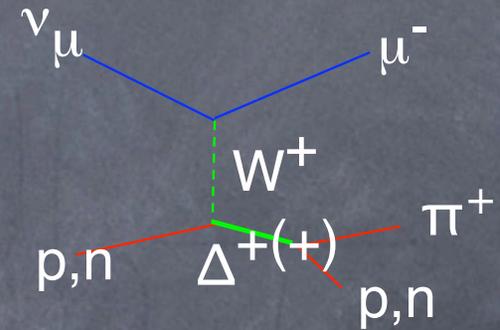


# effective CCPiP/CCQE Ratio

- MC efficiency correction includes NUANCE MC final state interaction model since we use MC to correct back to generated CCPiP events

## Final State Interactions (with uncertainty):

- $\sigma$  pion absorption ( $\delta_{\text{NUANCE}} = 25\%$ )
- $\sigma$  charge exchange ( $\delta_{\text{NUANCE}} = 30\%$ )
- $P(\Delta N \rightarrow NN)$   $\pi$ -less  $\Delta$  decay ( $\delta_{\text{NUANCE}} = 50\%$ )

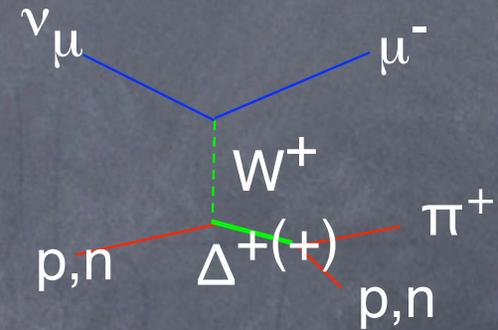


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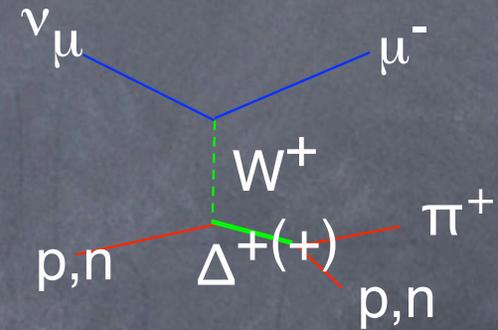
- MiniBooNE can also measure "effective"  $\sigma(\text{CCPiP})$
- define numerator of MC efficiency correction as anything CCPiP-like, not just  $\nu_{\mu}p \rightarrow \mu^{-}p\pi^{+}$ ,  $\nu_{\mu}n \rightarrow \mu^{-}n\pi^{+}$ , and  $\nu_{\mu}A \rightarrow \mu^{-}A\pi^{+}$
- CCPiP-like = 1  $\mu^{-}$  and 1  $\pi^{+}$  in final state (before particles decay)

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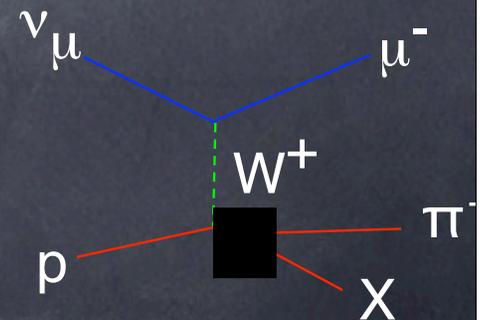
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- CCPiP-like = 1  $\mu^{-}$  and 1  $\pi^{+}$  in final state (before particles decay)

- from MC:  $N(\text{CCPiP-like}) / N(\text{true CCPiP}) = 0.8$
- 24% true CCPiP are not CCPiP-like ( $\pi^{+}$  absorption wins)
- 7% true non-CCPiP are CCPiP-like

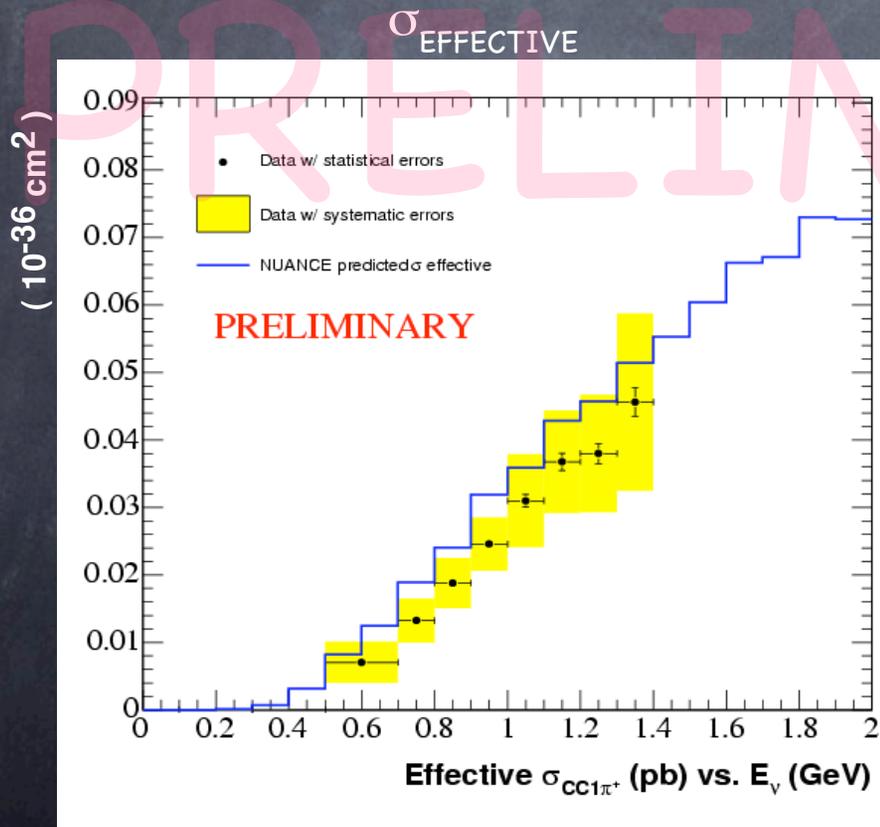


# effective CCPiP/CCQE Ratio

- efficiency corrected ratio measurement as a function of  $\nu$  energy:

$$R_{Measured}^{Effective} = \frac{N_{CCPIP}}{N_{CCQE}} = \frac{\sigma_{CCPIP}}{\sigma_{CCQE}}$$

- use "golden mode" to convert to  $\sigma(\text{CCPiP-like})$

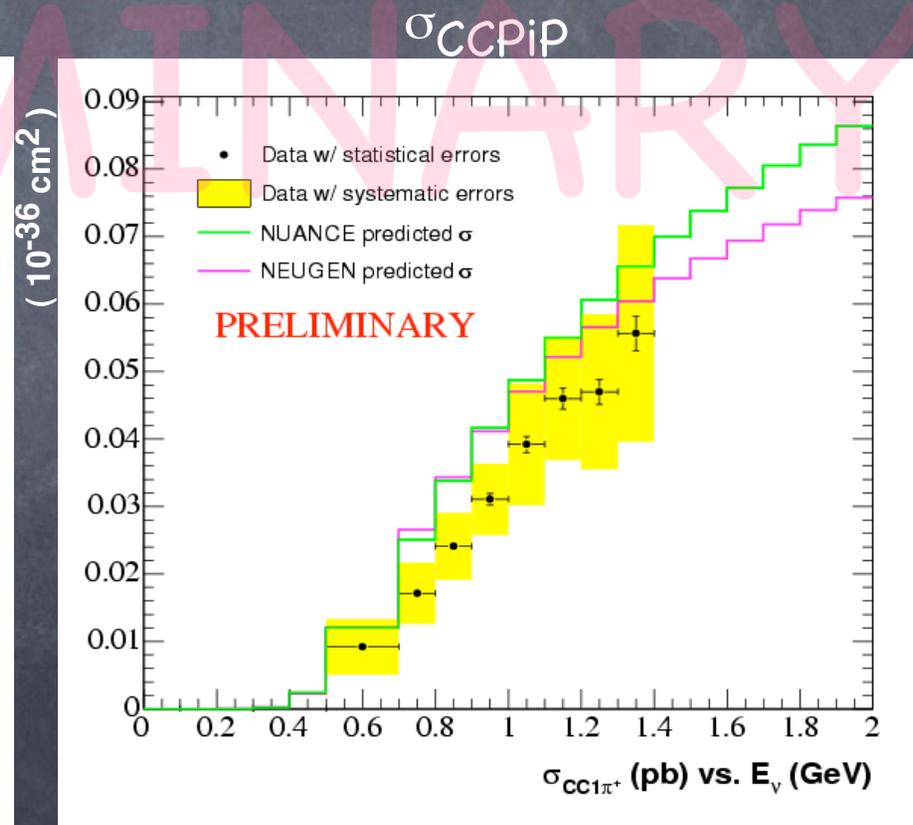
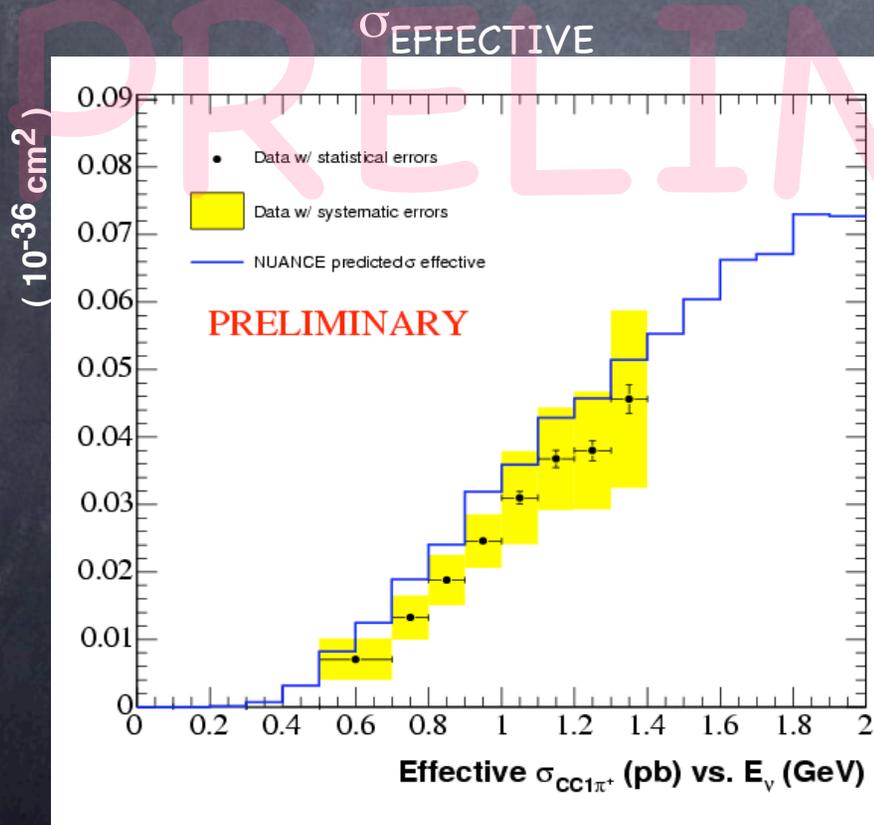


# effective CCPiP/CCQE Ratio

- efficiency corrected ratio measurement as a function of  $\nu$  energy:

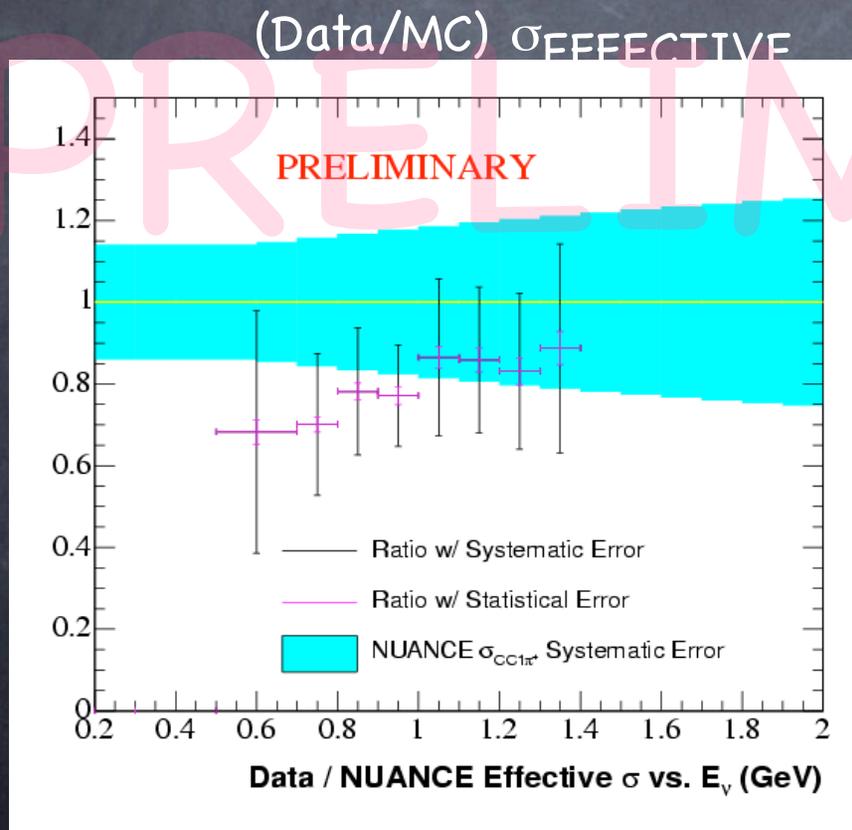
$$R_{Measured}^{Effective} = \frac{N_{CCPIP}}{N_{CCQE}} = \frac{\sigma_{CCPIP}}{\sigma_{CCQE}}$$

- use "golden mode" to convert to  $\sigma(\text{CCPiP-like})$ , compare  $\sigma(\text{CCPiP})$



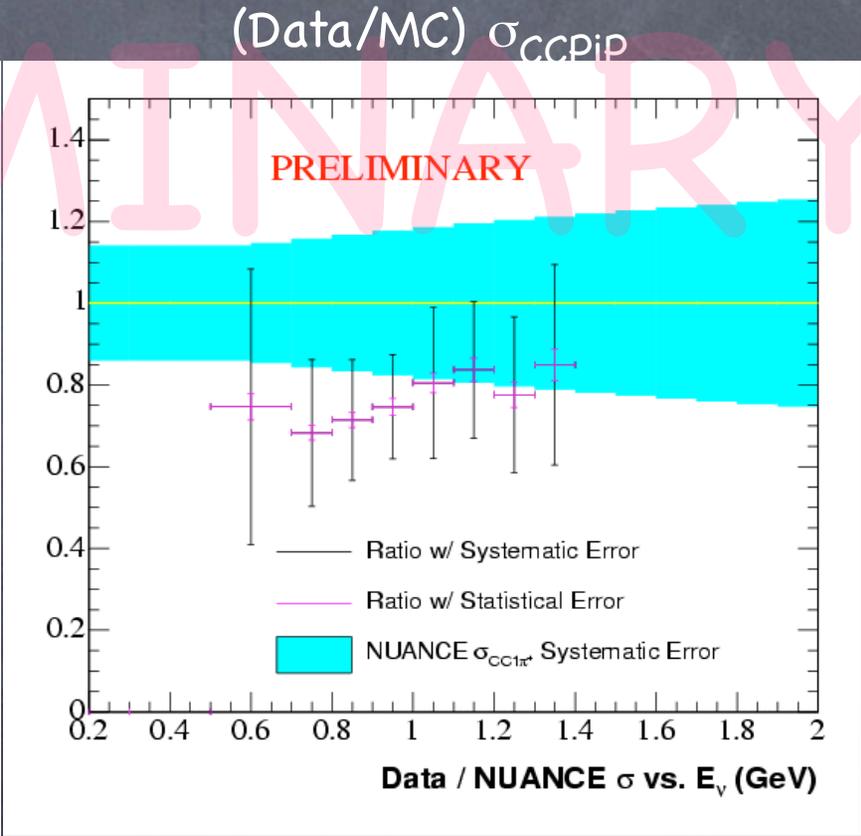
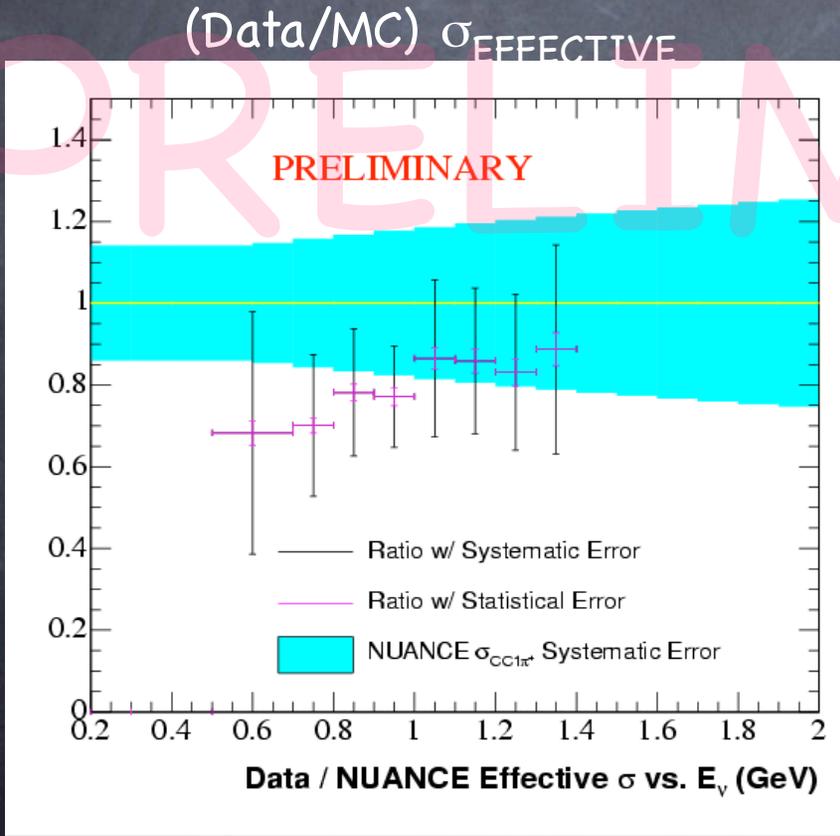
# effective CCPIP/CCQE Ratio

- cross check NUANCE FSI by comparing (Data/MC)  $\sigma_{\text{EFFECTIVE}}$  to  $\sigma_{\text{CCPIP}}$



# effective CCPiP/CCQE Ratio

- cross check NUANCE FSI by comparing (Data/MC)  $\sigma_{\text{EFFECTIVE}}$  to  $\sigma_{\text{CCPiP}}$
- ratio to predicted  $\sigma_{\text{NUANCE}}(\text{CCPiP-like})$  is similar to  $\sigma(\text{CCPiP})$  result



# effective CCPIP/CCQE Ratio

- cross check NUANCE FSI by comparing (Data/MC)  $\sigma_{\text{EFFECTIVE}}$  to  $\sigma_{\text{CCPIP}}$

result

For a discussion of  
how to observe exclusive  
CC $\pi^+$  events at these energies  
please attend **K. Hiraide's** talk  
Tuesday 09:30

1.4  
1.2  
1  
0.8  
0.6  
0.4  
0.2  
0  
0.2

1.4  
1.2  
1  
0.8  
0.6  
0.4  
0.2  
0  
0.2  
.8 2  
(GeV)

# Outlook and Conclusions

## CCPiP Analysis Plan:

- Extract coherent vs. resonant fractions with 2D fits to kinematic distributions
- reconstruct  $\pi$  information, feed back into  $\nu$  reconstruction
- reduce  $\sigma$  systematic uncertainties by integrating  $\mu$  tracker calibration
- iterate  $\sigma$  analysis in NUANCE
- compare measured  $\sigma(\text{CCPiP}) / \sigma(\text{CCQE})$  with other low energy  $\nu$  MCs

## MiniBooNE $\sigma$ Outlook:

Fall '05:

- CCPiP paper this fall
- NC  $\pi^0$   $\sigma$  measurement

Oscillations

- $\nu_e$  appearance result: not before end of 2005

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Thanks to the organizers  
for the invitation  
and support!

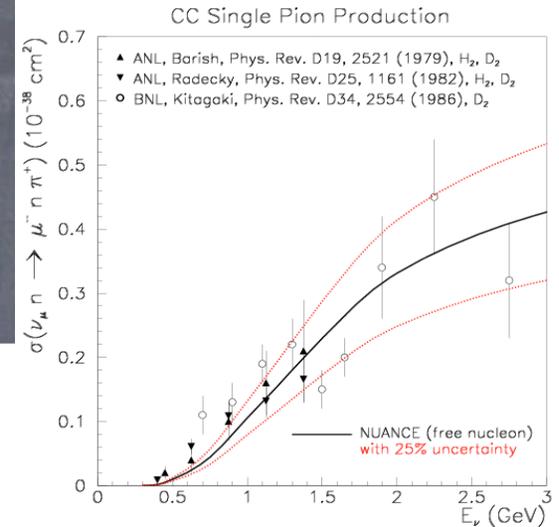
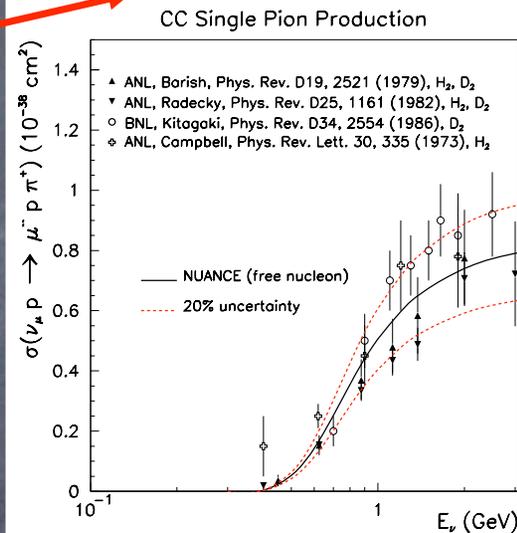
# Backup Slides

# CCPiP $\sigma$ Errors

CCPiP cross section uncertainties:

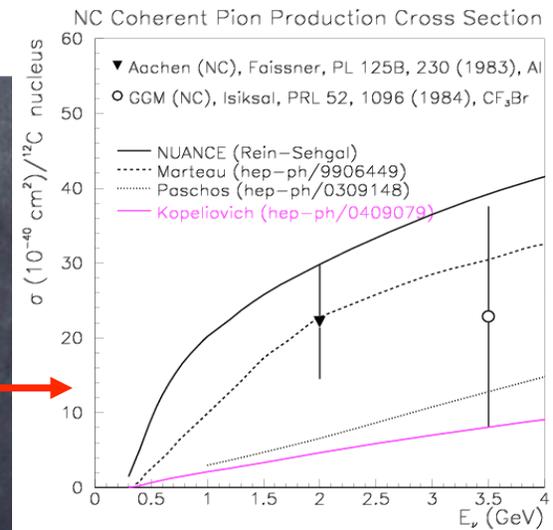
## Resonant Production

- 25% uncertainty on  $m_{\Delta}^{1\pi}$
- derived from external data
- size of error driven by difference between ANL and BNL measurements



## Coherent Production

- 100% uncertainty on  $\sigma$
- no CC data below 7 GeV + K2K sets limit (1.3 GeV)
- lower energy NC coherent data exists, but wide range of theoretical predictions for size of  $\sigma$

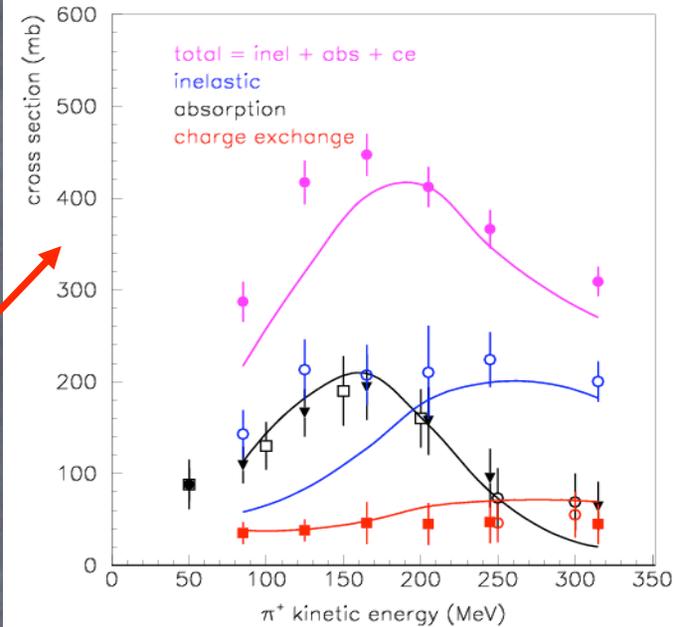


# effective CCPiP $\sigma$ Errors

## Final state interaction uncertainties:

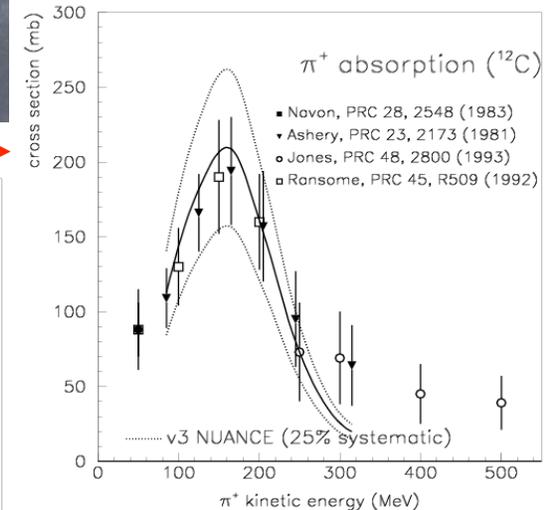
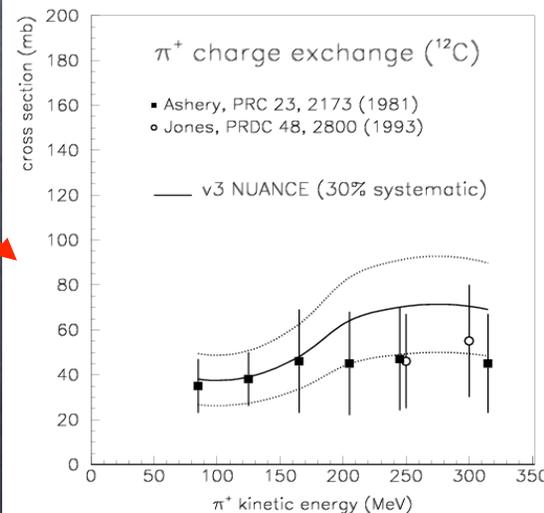
NUANCE FSI model tuned to reproduce external  $\pi$  scattering data

- Comparison between NUANCE and data



## Uncertainties on NUANCE compared with external data

- 25% on  $\sigma(\pi$  absorption)
- 30%  $\pi$   $\sigma(\text{charge exchange})$



# effective CCPiP $\sigma$ Errors

## Uncertainties on CCPiP-like processes:

### Multi-Pion Production

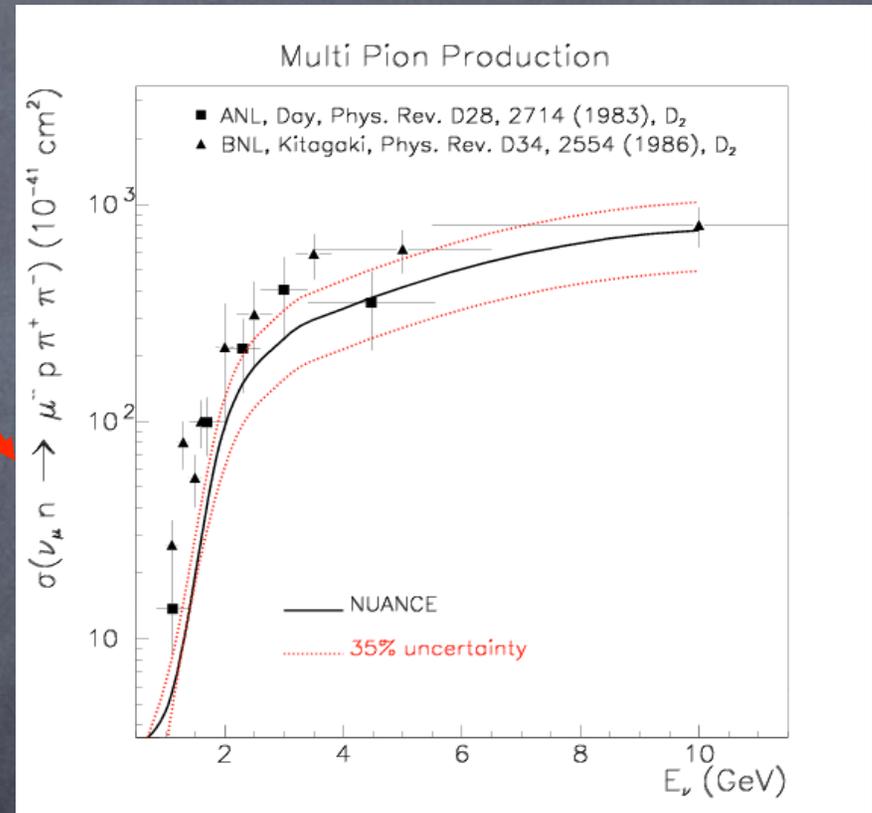
- Comparison between NUANCE and external data
- 35% uncertainty on  $m_A^{Np}$

### Uncertainties from PDG

- $\Delta$  decay width
- 4% uncertainty

### Conservative Guess

- Pion-less D decay:  $P(DN \rightarrow NN)$
- 50% uncertainty for now, constrain in future with e- data

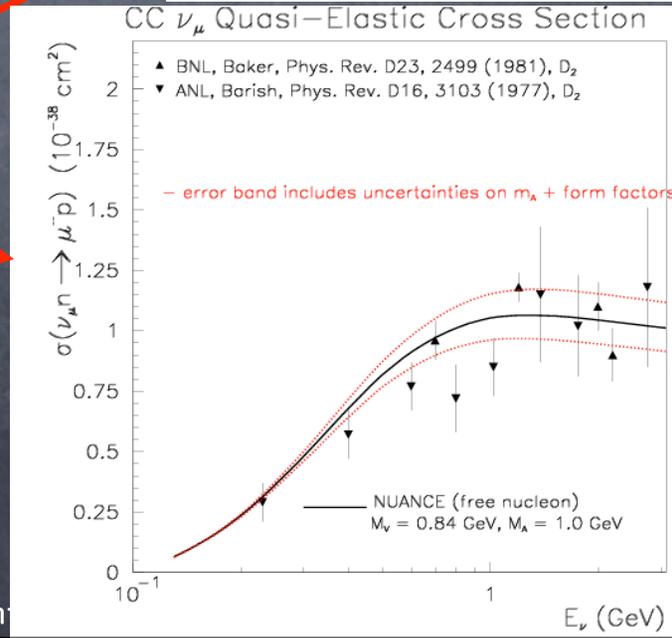
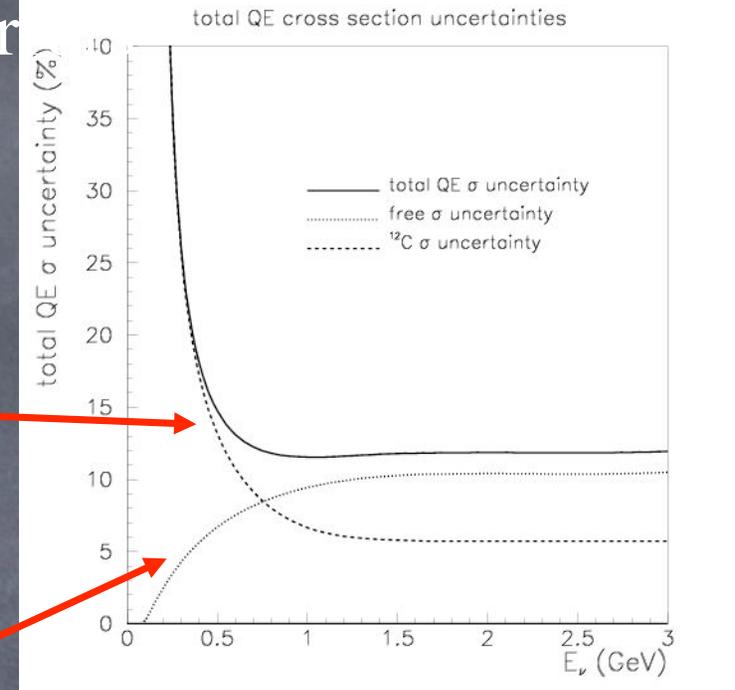


# CCQE $\sigma$ Error

## CCQE cross section uncertainties

- 60% uncertainty in Pauli suppression
- vary  $E_B$  by 25 MeV (100%)
- vary  $p_F$  by 15 MeV (14%)
- size of variations set to cover LSND  $S_{QE}$  at low energy

- 10% uncertainty in  $m_A$  to cover range in  $m_A$  from light vs. heavy target  $n$  data fits, as well as K2K choice



# Non-Dipole Vector Form Factors (NUANCE v3)

拟 largest effect is going from dipole to non-dipole form factors (Bosted 1995)  
 few-% effect on  $Q^2$  distribution for QE events ...

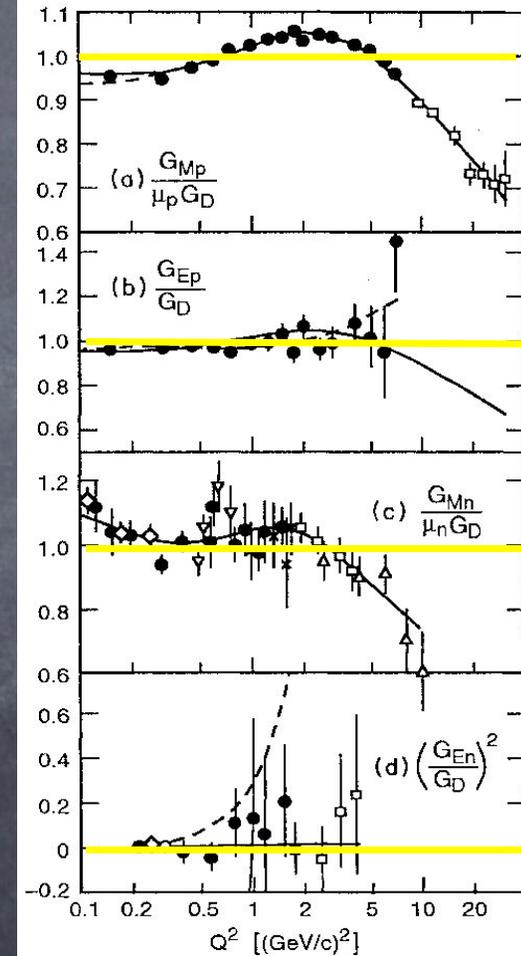
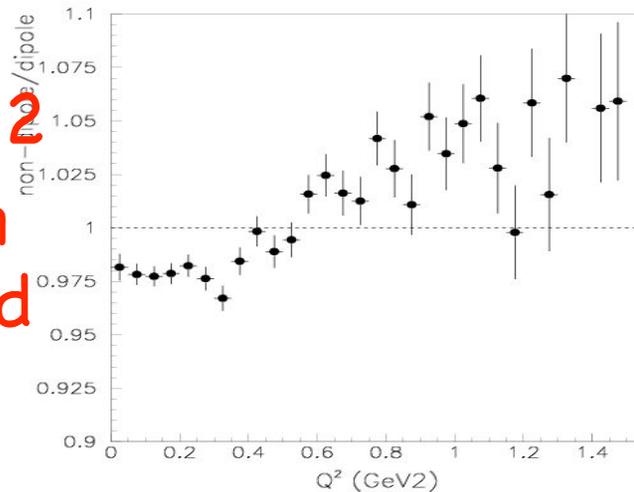
$$G_M^p(Q^2) = \mu_p / (1 + 0.35Q + 2.44Q^2 + 0.5Q^3 + 1.04Q^4 + 0.34Q^5)$$

$$G_E^p(Q^2) = 1 / (1 + 0.62Q + 0.68Q^2 + 2.8Q^3 + 0.83Q^4)$$

$$G_M^n(Q^2) = \mu_n / (1 - 1.74Q + 9.29Q^2 - 7.63Q^3 + 4.63Q^4)$$

$$G_E^n(Q^2) = -1.25\mu_n\tau / (1 + 18.3\tau)(1 + Q^2/0.71)^2, \quad \tau = Q^2/4M^2$$

effect on  $Q^2$   
 distribution  
 of generated  
 QE events:



P.E. Bosted,  
 Phys. Rev. C51, 409 (1995), 26 September, 2005

# Non-Dipole Vector Form Factors (NUANCE v3)

NUANCE MC v3 uses BBA2003:

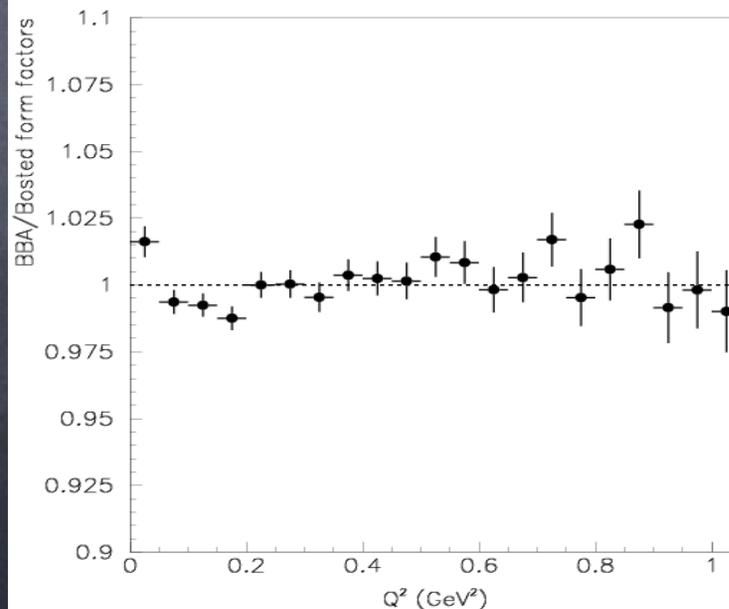
$$G_M^p(Q^2) = \mu_p / (1 + 3.104Q^2 + 1.428Q^4 + 0.1112Q^6 - 0.006981Q^8 + 0.0003705Q^{10} - 0.7063E-5Q^{12})$$

$$G_E^p(Q^2) = 1 / (1 + 3.253Q^2 + 1.422Q^4 + 0.08582Q^6 + 0.3318Q^8 - 0.09371Q^{10} + 0.01076Q^{12})$$

$$G_M^n(Q^2) = \mu_n / (1 + 3.043Q^2 + 0.8548Q^4 + 0.6806Q^6 - 0.1287Q^8 + 0.008912Q^{10})$$

$$G_E^n(Q^2) = -0.942\mu_n\tau / (1 + 4.61\tau)(1 + Q^2/0.71)^2, \quad \tau = Q^2/4M^2$$

effect on  $Q^2$   
distribution  
of generated  
QE events  
(BBA/Bosted)



Bodek, Budd, Arrington  
BBA-2003 fit values  
([hep-ex/0308005](http://hep-ex/0308005))

# Systematic Error Calculation

Estimate uncertainties by constructing an error matrix from MC to calculate 1<sup>st</sup> derivatives with respect to each source of systematic error

1. vary parameter(s) for a source of systematic error, e.g.
  - total g extinction (attenuation length  $\lambda_A \rightarrow \lambda_A + \delta \lambda_A$ )
  - scattering length ( $\lambda_S \rightarrow \lambda_S + \delta \lambda_S$ )

2. measure the first derivative  $F_i$  in each bin  $i$

- $F_i^A = [ N_i (\lambda_A + \delta \lambda_A) - N_i (\lambda_A) ] / \delta \lambda_A$
- $F_i^S = [ N_i (\lambda_S + \delta \lambda_S) - N_i (\lambda_S) ] / \delta \lambda_S$

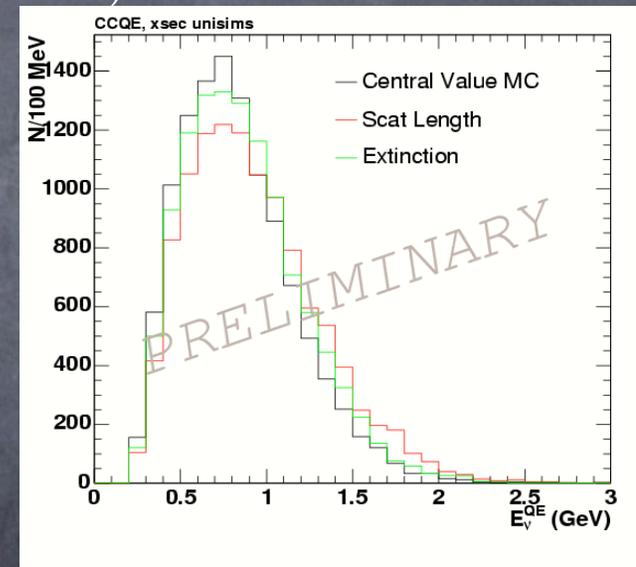
3. construct first derivative matrix  $F_{i,j}$

- $i$ : energy bins,  $j$ : systematic error parameters

4. construct error matrix  $M_{i,l}$  from parameter correlation matrix  $P_{j,k}$  and  $F_{i,j}$

$$\mathcal{M}(E_\nu) = \mathcal{F}^T(E_\nu) \mathcal{P} \mathcal{F}(E_\nu)$$

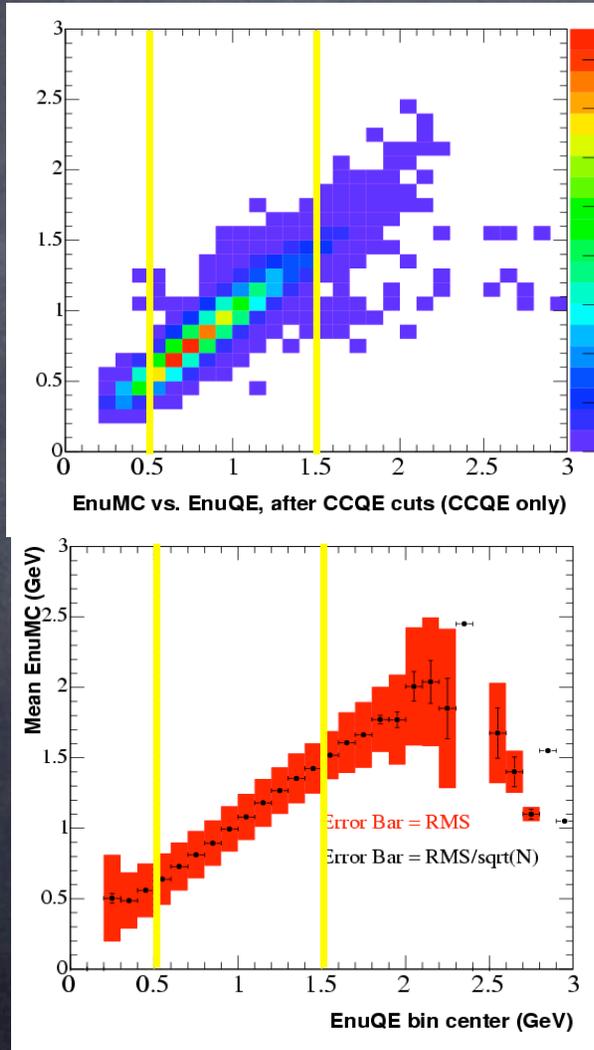
$$m_{i,j} = f_{i,k} p_{k,l} f_{l,j}$$



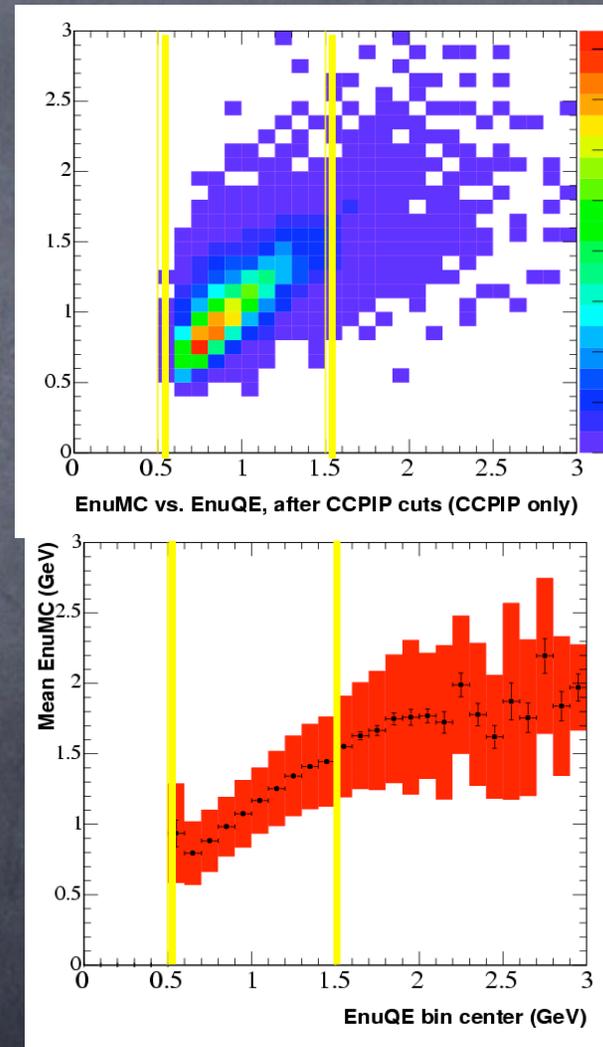
# Energy Scale Uncertainty

Energy scale uncertainty comes from difference performance between CCPiP and CCQE neutrino energy reconstruction.

- CCQE



- CCPiP



# CCQE "Golden Mode" : MC Comparisons

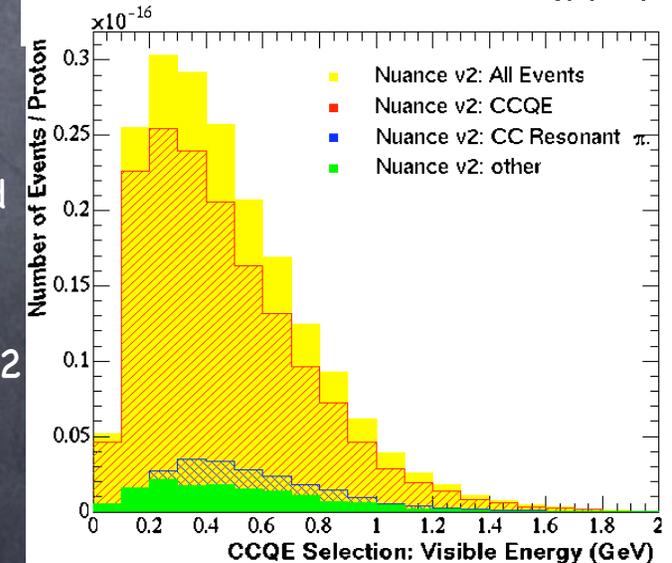
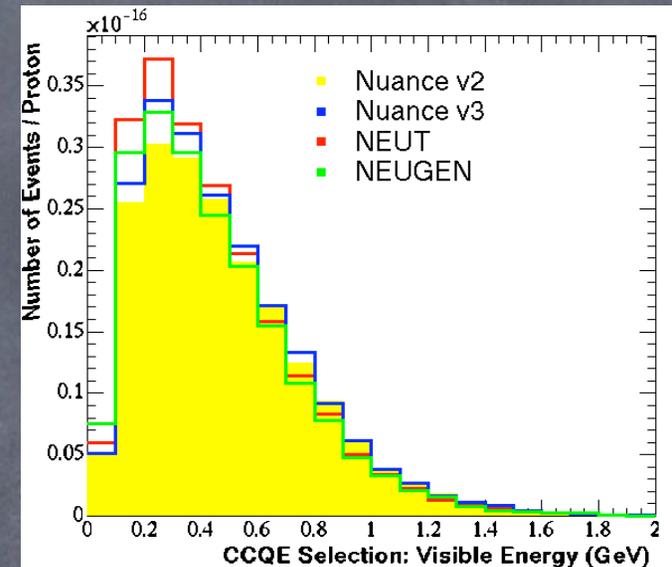
Same CCQE cuts, different Monte Carlos ...

- Absolute normalization

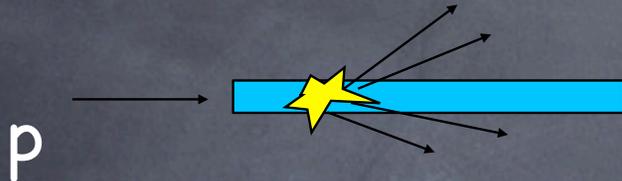
Monte Carlo	CCQE (%)	Efficiency of cuts (%)	(Rate / proton after cuts) / v2
NUANCE v2	38.7	24.8	1.0
NUANCE v3	39.8	24.8	1.05
NEUT	38.0	24.5	1.07
NEUGEN	38.0	25.2	1.0

- After CCQE event selection: signal purity

Monte Carlo	CCQE (%)	Resonant $1 \pi$ (%)	total (%) background
NUANCE v2	83	14	17
NUANCE v3	80	16	20
NEUT	78	13	22
NEUGEN	80	16	20



# External Prediction for $\nu_\mu$ Flux



## Production of secondaries in Be target:

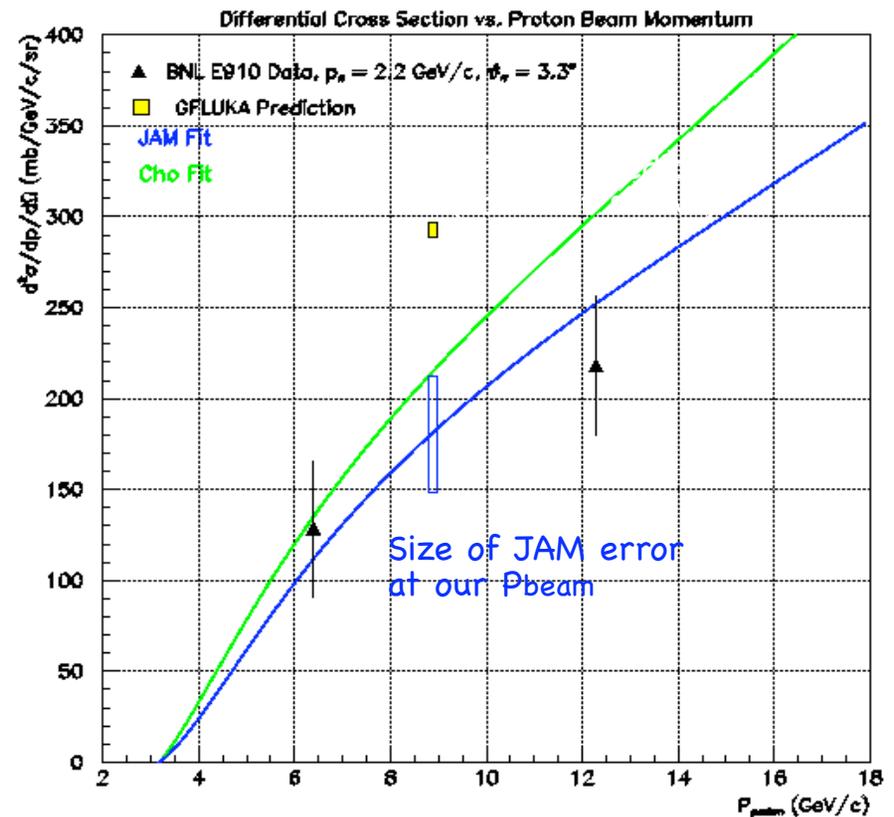
- Geant4 Secondary Beam Monte Carlo
- GFLUKA or MARS (p, n)
- Sanford-Wang parametrization (p,K)
  - fit to production data ("JAM") over  $10 < p_{\text{proton}} < 23 \text{ GeV}/c$
- Publication in preparation (*J. Link, JM, et al.*)

$$\frac{d^2\sigma}{dpd\Omega} = W_1 p_n^{W_2} \left(1 - \frac{p_n}{p_{\text{proton}}}\right) \times$$

$$\exp\left(\frac{-W_3 p_n^{W_4}}{p_{\text{proton}}^{W_5}} - W_6 \ln(p_n - W_7 p_{\text{proton}} \cos^{W_8} \theta_n)\right)$$

## Near future:

- Measure  $\sigma(p \text{ Be} \rightarrow \pi^+ X)$  at 8 GeV at HARP



# Calibrating CC Interactions at MiniBooNE

- Hodoscope + 7 Scintillator-Filled Cubes Track Cosmic Rays

